



**BERKELEY LAB**

# Real and Virtual Nucleon Structure in the MARATHON Experiment

NSD Seminar

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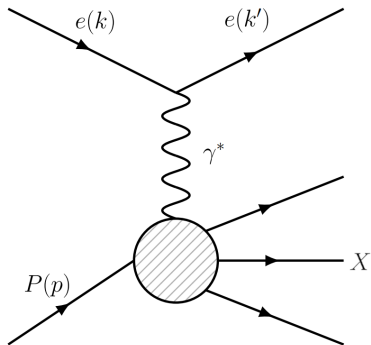
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## Tools of the Trade

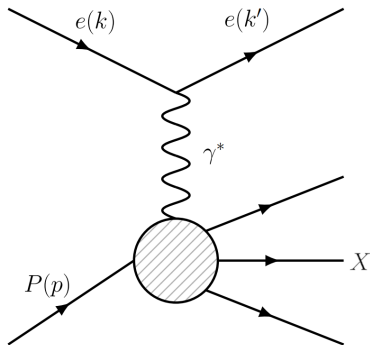
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# Deep Inelastic Scattering



- Deep Inelastic Scatter (DIS) allows us to probe the internal structure of nucleons
- At sufficient four-momentum transfer ( $Q^2$ ), the virtual photon effectively scatters from a constituent quark

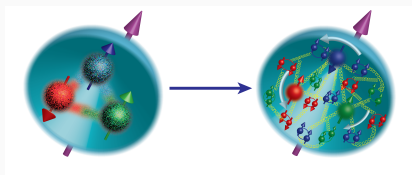
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$$\frac{d^2\sigma}{d\Omega dE'}(E, E', \theta) = \frac{4\alpha^2(E')}{Q^4} \cos^2\left(\frac{\theta}{2}\right) F_2 \left[ \frac{1}{\nu} + \frac{(1 + Q^2/\nu^2)}{xM(1 + R)} \tan^2\left(\frac{\theta}{2}\right) \right]$$

# Bjorken $x$ and the $F_2$ Structure Function

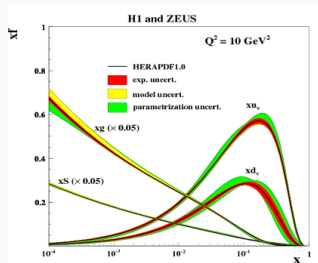


The Bjorken scaling variable,  $x$ , is the longitudinal momentum fraction of the struck quark

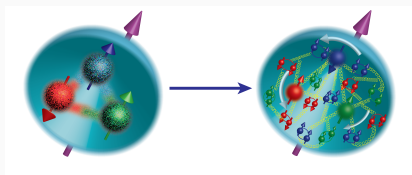
$$x = \frac{Q^2}{2M(E - E')}$$

$F_2$  describes the longitudinal momentum distribution of partons within the nucleon

$$F_2(x) \equiv \sum_i^{u,d,s,\dots} x e_i^2 q_i(x)$$



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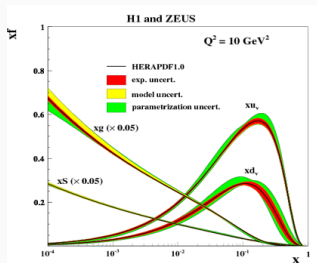


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# The EMC Effect

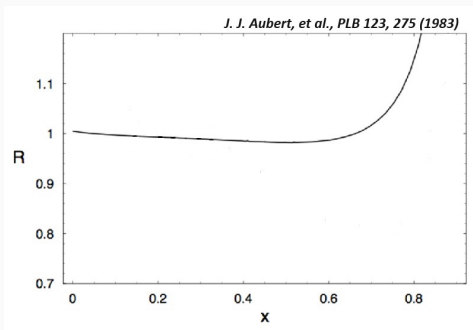
All is not well in the nucleus

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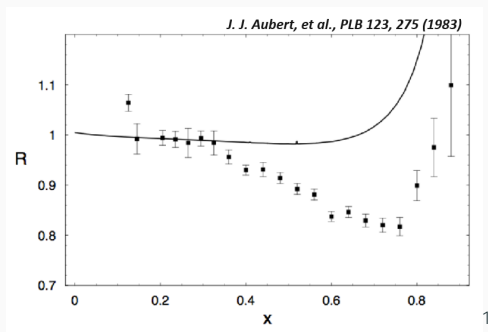


# History

Nuclei are a composite system of nucleons, leading to an assumption that  $F_2^A \approx ZF_2^p + (A - Z)F_2^n$  with deviations at high  $x$  due to Fermi smearing

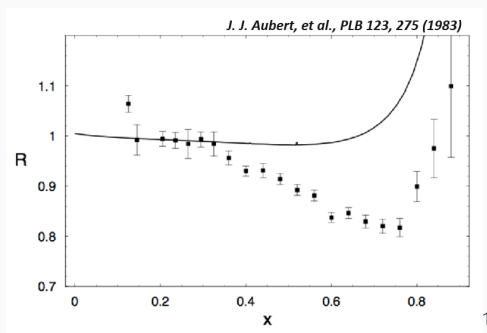


The European Muon Collaboration (EMC) planned to use this assumption as a luminosity check in their experiment to study the structure functions of  $H$ ,  $D_2$ , and  $Fe...$



That doesn't seem right...

<sup>1</sup>Aubert et al., "The ratio of the nucleon structure functions  $F_{2n}$  for iron and deuterium".

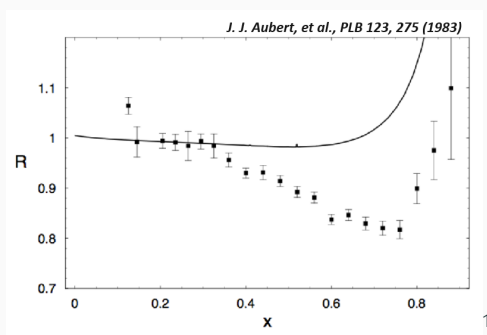


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## ??? → The EMC effect!

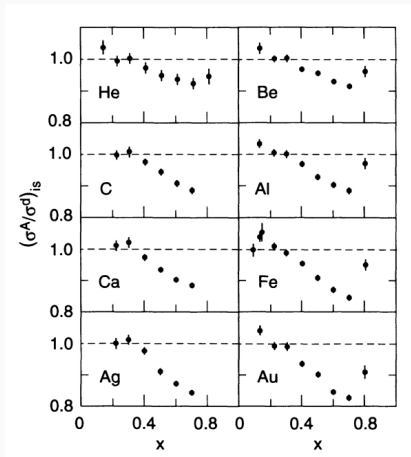


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A luminosity issue would show up as a uniform shift up or down  
This unexplained structural difference in nuclei became known as  
the EMC effect

<sup>1</sup>Aubert et al., "The ratio of the nucleon structure functions  $F_{2,n}$  for iron and deuterium".

# Further Studies at SLAC<sup>2</sup>



- SLAC went to work mapping the EMC effect over a large A range
- “Strength” of the EMC effect (slope of downturn) highly correlated with A

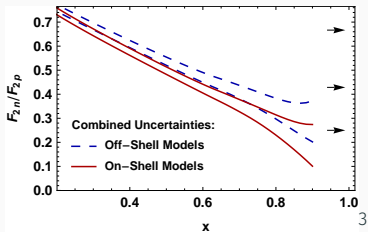
<sup>2</sup>Gomez et al., “Measurement of the A dependence of deep-inelastic electron scattering”.

# Nucleon Modification

Nucleons are modified when bound in a nuclear medium!

This leads to many open questions, including

- What causes the modification?
- Is the modification flavor dependent?



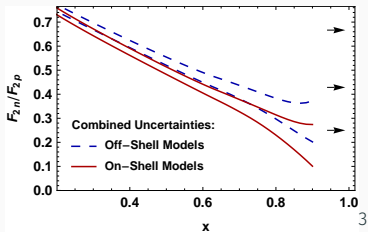
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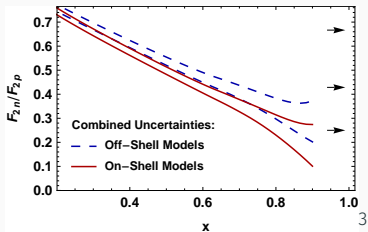
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# The MARATHON Experiment

Mapping the  $A = 3$  EMC Effect

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## Why do a new experiment?

A very large range of nuclei have been studied and we have learned many things, why do this experiment?

- $A = 3$  is the smallest system with mirror nuclei to study the difference between proton and neutron modification
- Assumed that the difference in nuclear effects of  ${}^3\text{He}$  and  ${}^3\text{H}$  is small to assess “free” nucleon structure function ratio  $F_2^n/F_2^p$
- Free neutron structure is poorly constrained by prior data and is necessary for effective analysis of EMC data

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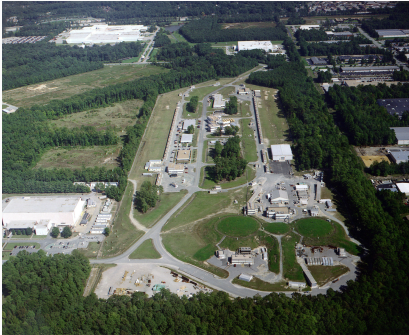
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$F_2^n/F_2^p$ Predictions as $x \rightarrow 1$				
SU(6)	Diquark /Feynman	Quark Model/Isgur	Pert. QCD	Quark Counting
$2/3$	$1/4$	$1/4$	$3/7$	$3/7$

# A Quick Tour of the Experiment

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# The CEBAF Accelerator



- The Continuous Electron Beam Accelerator Facility (CEBAF) is a racetrack accelerator at JLab
- Electrons are accelerated by  $\sim 1.1$  GeV per LINAC with up to 5 round trips (passes)
- MARATHON ran with 5 pass beam at 10.6 GeV

# The Tritium Target

- MARATHON used 4 gas targets ( $^3\text{H}$ ,  $^2\text{H}$ ,  $\text{H}$ , and  $^3\text{He}$ )
- Specially designed aluminum cell to accommodate Tritium
- Safety procedures surrounding Tritium use limit the beam current on target to  $22.5\mu\text{A}$





# The Hall A High Resolution Spectrometers



The HRSs use a QQDQ magnet setup to a detector stack with tracking, PID, and calorimetry

# Extracting $F_2^n/F_2^p$

If nucleons are modified... How are we getting free nucleon structure functions?

If we assume the modification will be similar in each target, we can use a model to remove the differences

$$\frac{F_2^n}{F_2^p} = \frac{\frac{F_2^{^3\text{He}}}{F_2^{^3\text{H}}} - 2\mathcal{R}}{\mathcal{R} - \frac{F_2^{^3\text{He}}}{F_2^{^3\text{H}}}} \quad \mathcal{R} = \frac{\frac{F_2^{^3\text{He}}}{2F_2^p + F_2^n}}{\frac{F_2^{^3\text{H}}}{F_2^p + 2F_2^n}}$$

$\mathcal{R}$  is the “super-ratio” of “EMC-type” ratios

These “EMC-type” ratios predict how much the nuclei differ from being a simple sum of their nucleons

MARATHON chose to use the Kulagin-Petti (KP) model for its analysis

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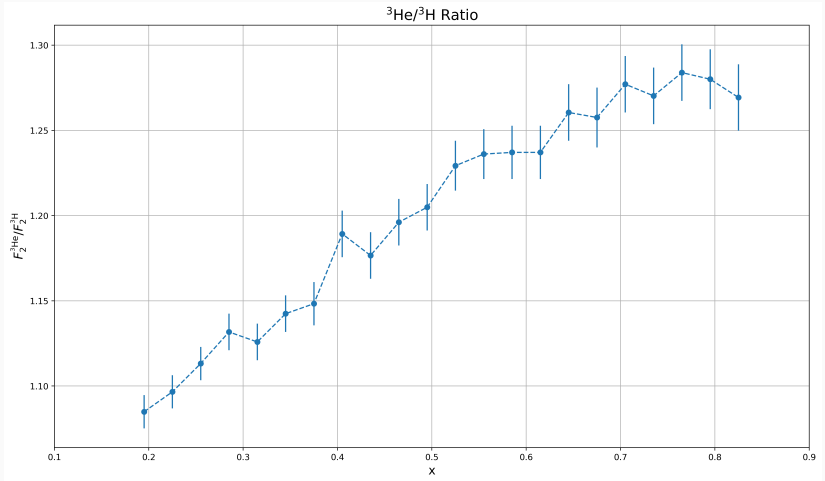
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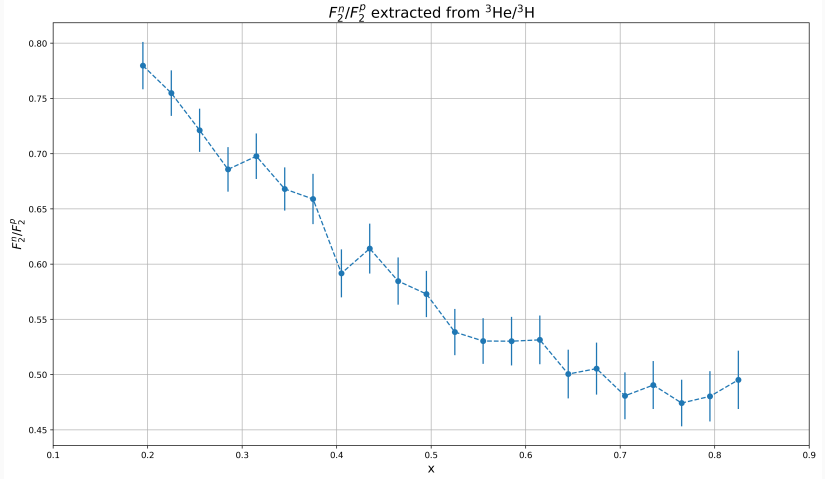
# Results

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# $^3\text{He}/^3\text{H}$ Ratio

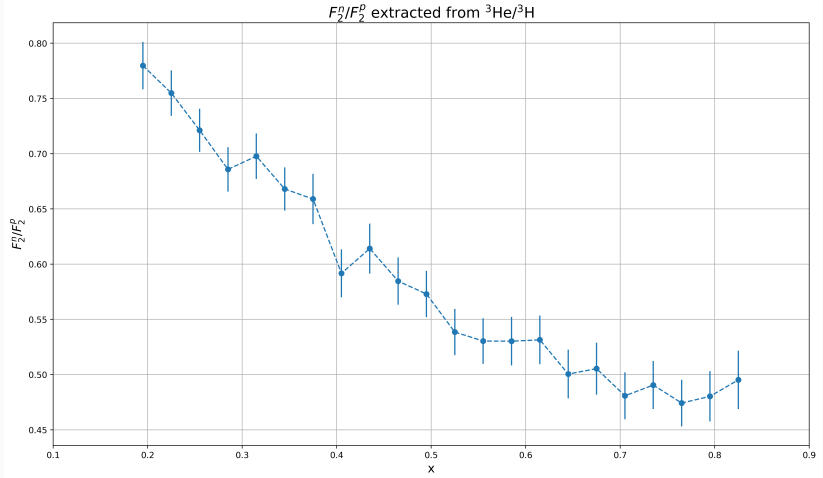


# $F_2^n/F_2^p$ from ${}^3\text{He}/{}^3\text{H}$





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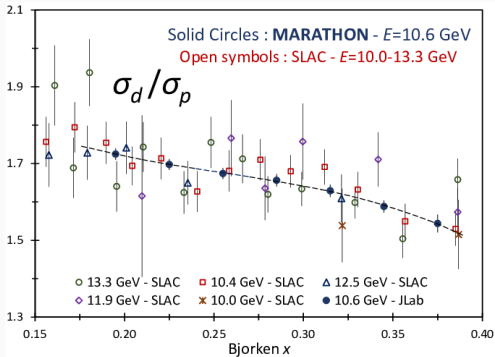
Is that it?

The MARATHON experiment also recorded a limited set of data on Hydrogen to use the  $^2\text{D}/p$  ratio as a normalization check

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<sup>4</sup>Abrams et al., "Measurement of the Nucleon  $F_2^n/F_2^p$  Structure Function Ratio by the Jefferson Lab MARATHON Tritium/Helium-3 Deep Inelastic Scattering Experiment".

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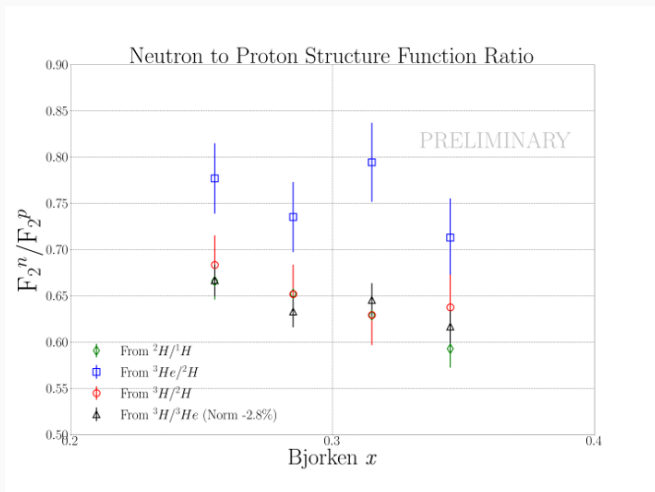
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## Comparing $F_2^n/F_2^p$

$F_2^n/F_2^p$  extractions from both data sets ought to agree, allowing an assessment of the normalization of the  $A = 3$  targets

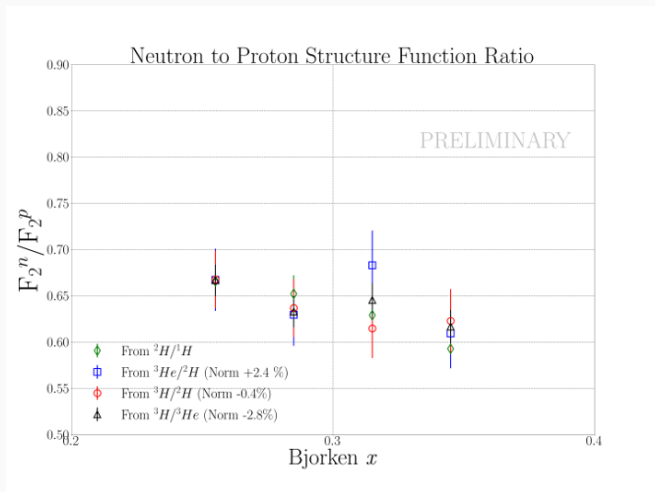
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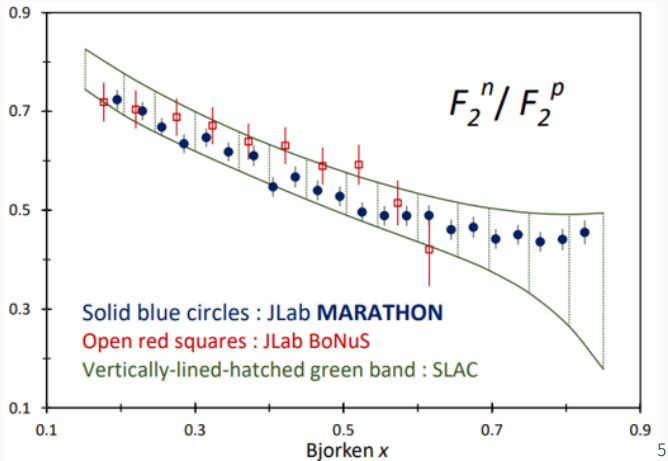


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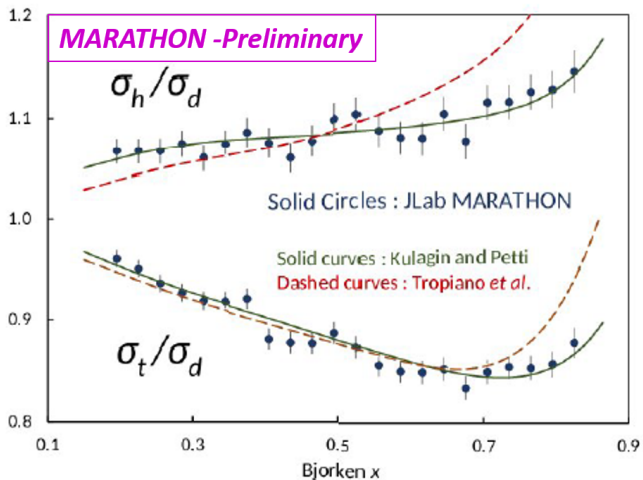


# Results



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# Results



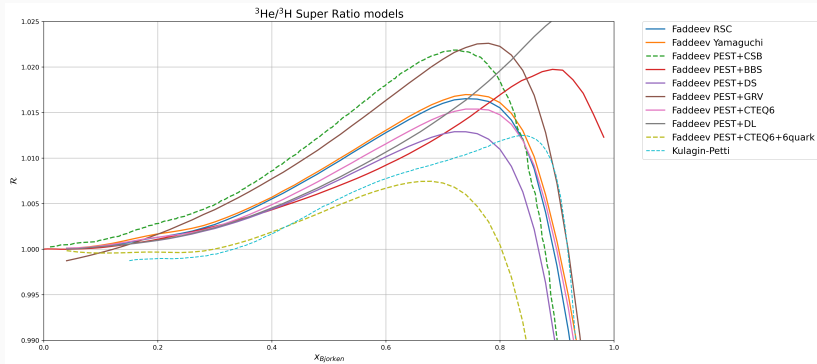
PRL in preparation



But wait, there's more!

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# Assessing Model Uncertainties

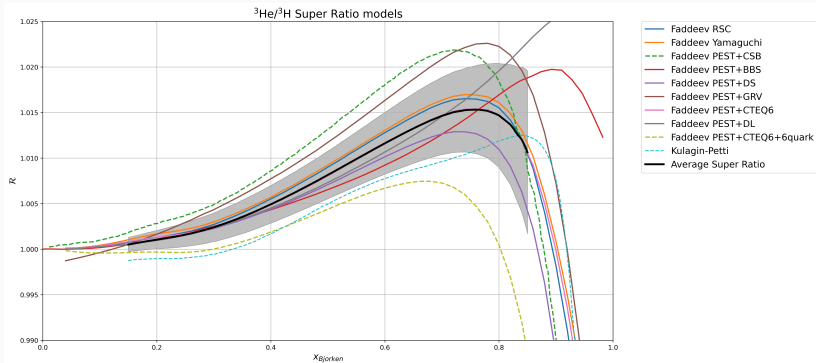


6

The KP model is only one super-ratio at our disposal (hyphenated models include “exotic” effects)

<sup>6</sup>Afnan et al., “Deep inelastic scattering from  $A = 3$  nuclei and the neutron structure function”.

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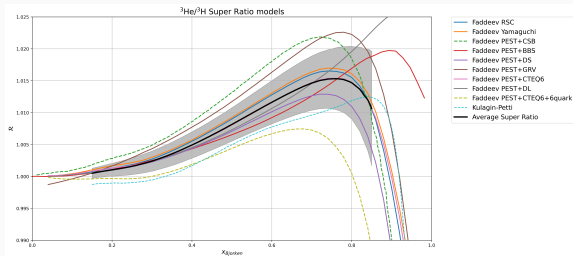


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Plotting the average super-ratio and  $1\sigma$  spread, we see that the KP model is on the edge of the 68% confidence interval

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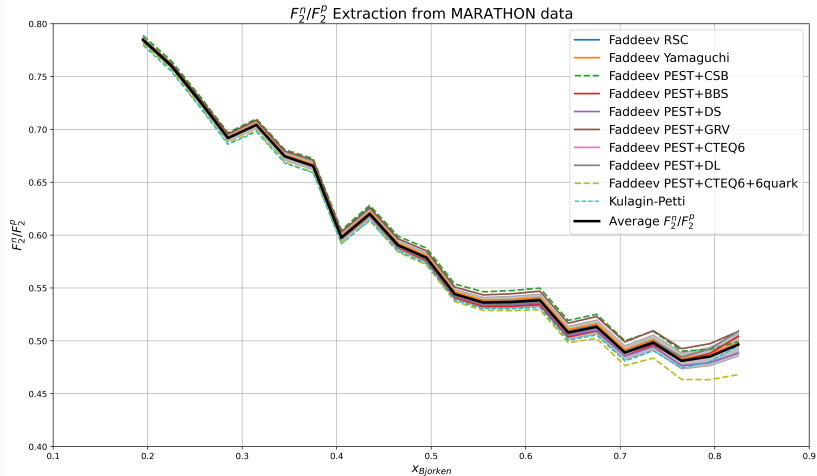
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This isn't a bad thing, but it is worth noting when a result is model-dependent

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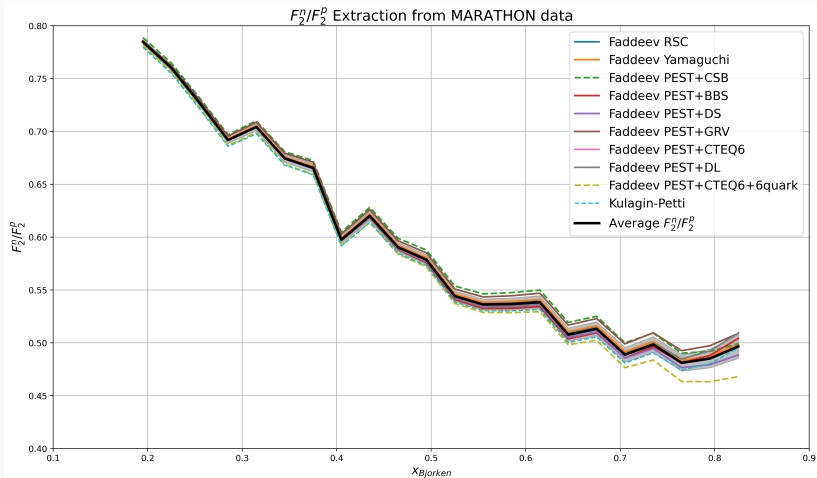
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# Average Super Ratio $F_2^n/F_2^p$ Extraction



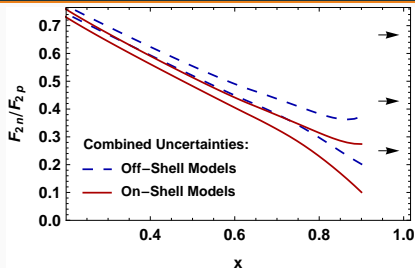
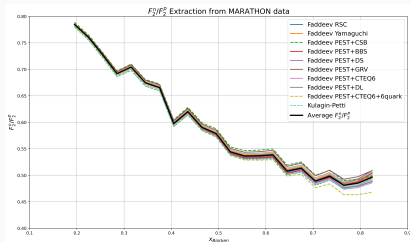
\*Note that this does not include the  $\sim 2.8\%$  normalization

# Looking forward



We are carefully assessing the model dependence and normalization uncertainty of MARATHON

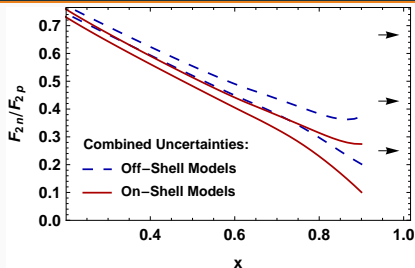
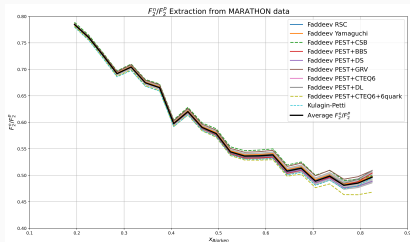
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Further EMC and SRC data will be recorded on a large group of nuclei very soon (the experiment begins at the end of the week)



Thank you!