



A deep-learning code of beam orbit correction on CIADS superconducting linac

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- Introduction to CIADS superconducting linac
- Layout
- Beam orbit correction
- Thought source
- Code

➤ Structure

➤ Source-LEBT-RFQ-MEBT-CM1-CM2-CM3-CM4-Dumper

➤ Commissioning

➤ Main Problem: Heat

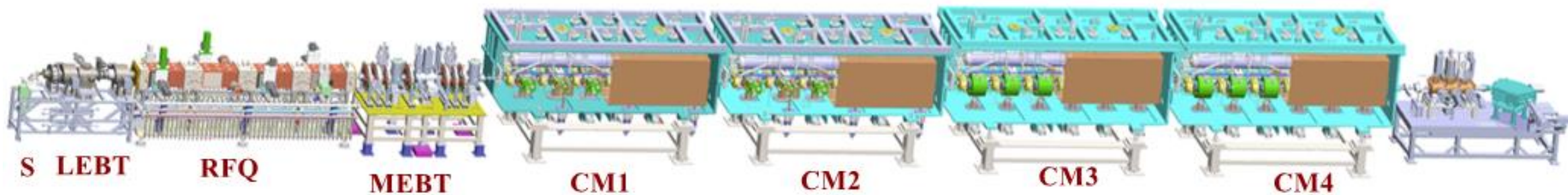
➤ Solution :

➤ Lattice configuration

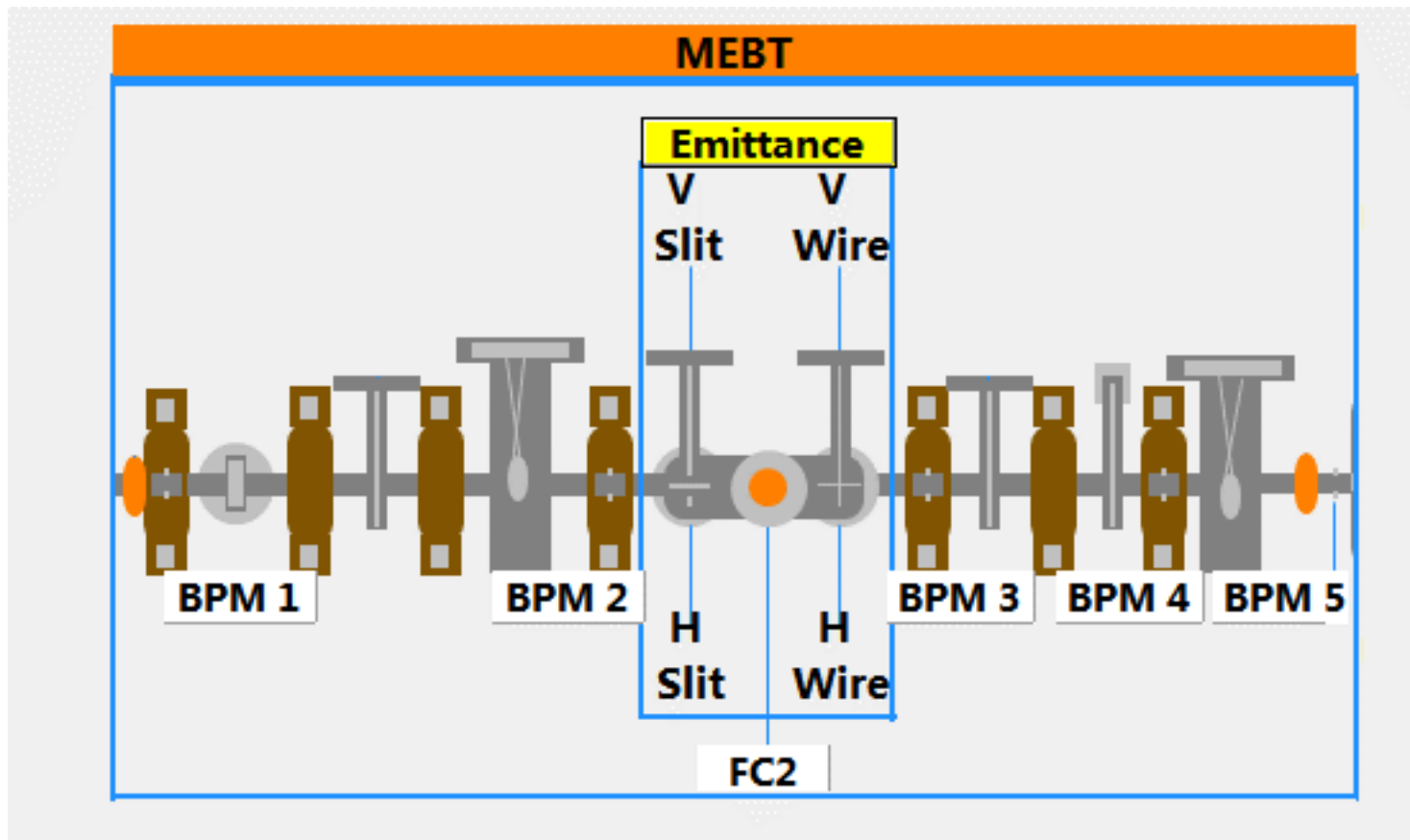
➤ Beam orbit correction

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MEBT CM1



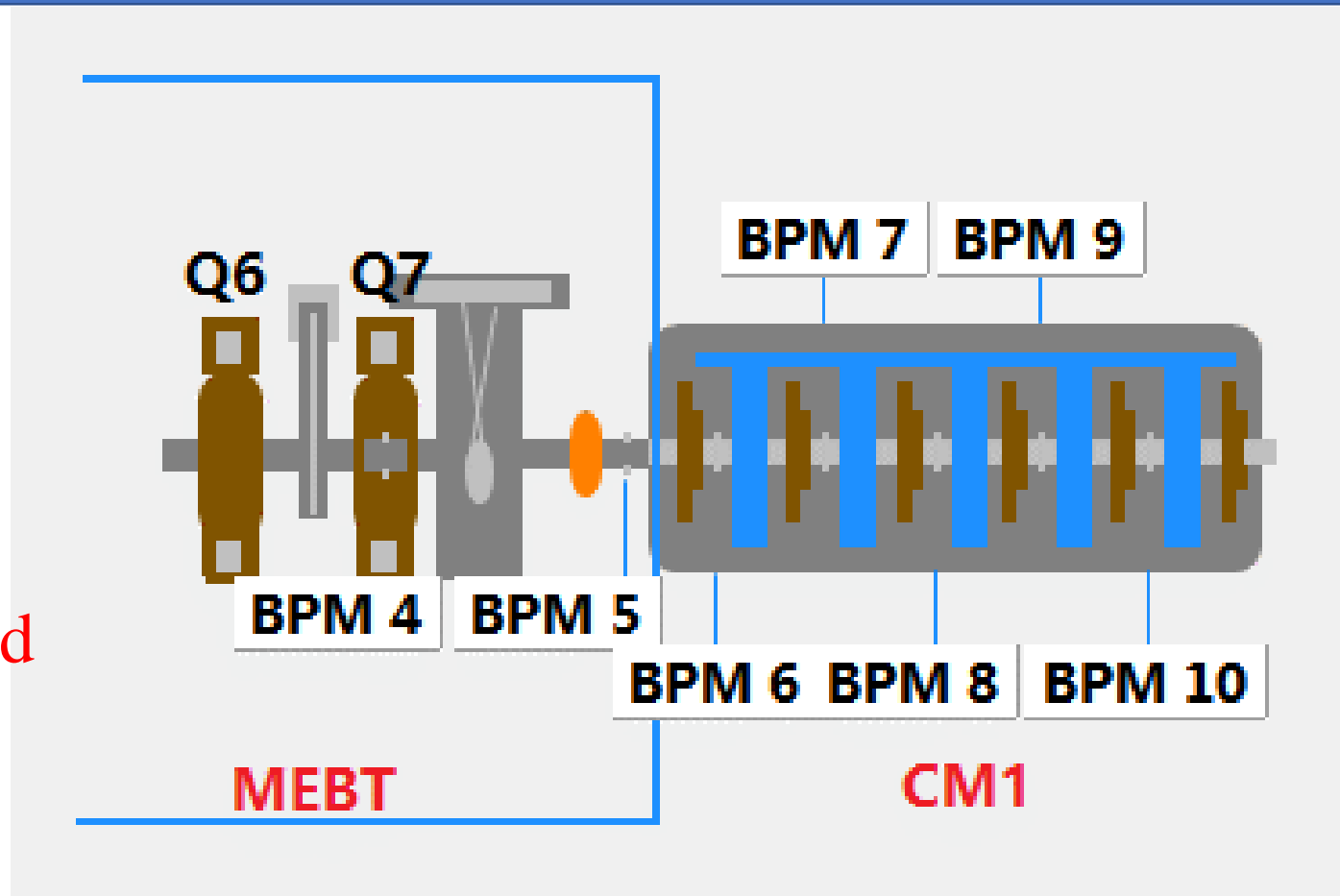
- 7 Quads
- 7 sets of correctors
 - 7 horizontal correctors
 - 7 vertical corrector
- 5 sets of BPMs
 - 5 horizontal BPMs
 - 5 vertical BPMs
- 5 sets of BPMs are arranged in the center of 1st, 4th, 5th, 7th quads and the end of MEBT respectively
- The 1st set of BPMs can not be corrected



Conclusion:

7 horizontal correctors, 7 vertical correctors,
5 horizontal BMPs, 5 vertical BMPs.

- 6 sets of solenoid and cavity
- 6 sets of correctors
 - 6 horizontal correctors
 - 6 vertical corrector
- 5 sets of BPMs
 - 5 horizontal BPMs
 - 5 vertical BPMs
- five sets of BMPs are behind the first five cavities
- Last set of correctors in MEBT is used to correct BPM6
- Last set of correctors in CM1 is not used



Conclusion:

6 horizontal correctors, 6 vertical correctors,
5 horizontal BMPs, 5 vertical BMPs.

$$\Delta X = A \cdot \Delta I$$

$$\Delta X = (\Delta X_1, \Delta X_2, \dots, \Delta X_m)$$

$$\Delta I = (\Delta I_1, \Delta I_2, \dots, \Delta I_n)$$

$$A = U \cdot \begin{pmatrix} \omega_1 & 0 & \dots & 0 \\ 0 & \omega_2 & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \dots & \omega_n \end{pmatrix} \cdot V^t$$

$$\Delta I = A^{-1} \cdot \Delta X = V \cdot \begin{pmatrix} 1/\omega_1 & 0 & \dots & 0 \\ 0 & 1/\omega_2 & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \dots & 1/\omega_n \end{pmatrix} \cdot U^t \cdot \Delta X$$

➤ ΔX describes the desired correction at m BPMs

➤ ΔI is the excitation currents of n correctors, that we want to determine.

➤ SVD condition: $m \geq n$

➤ $w = A^{-1}$

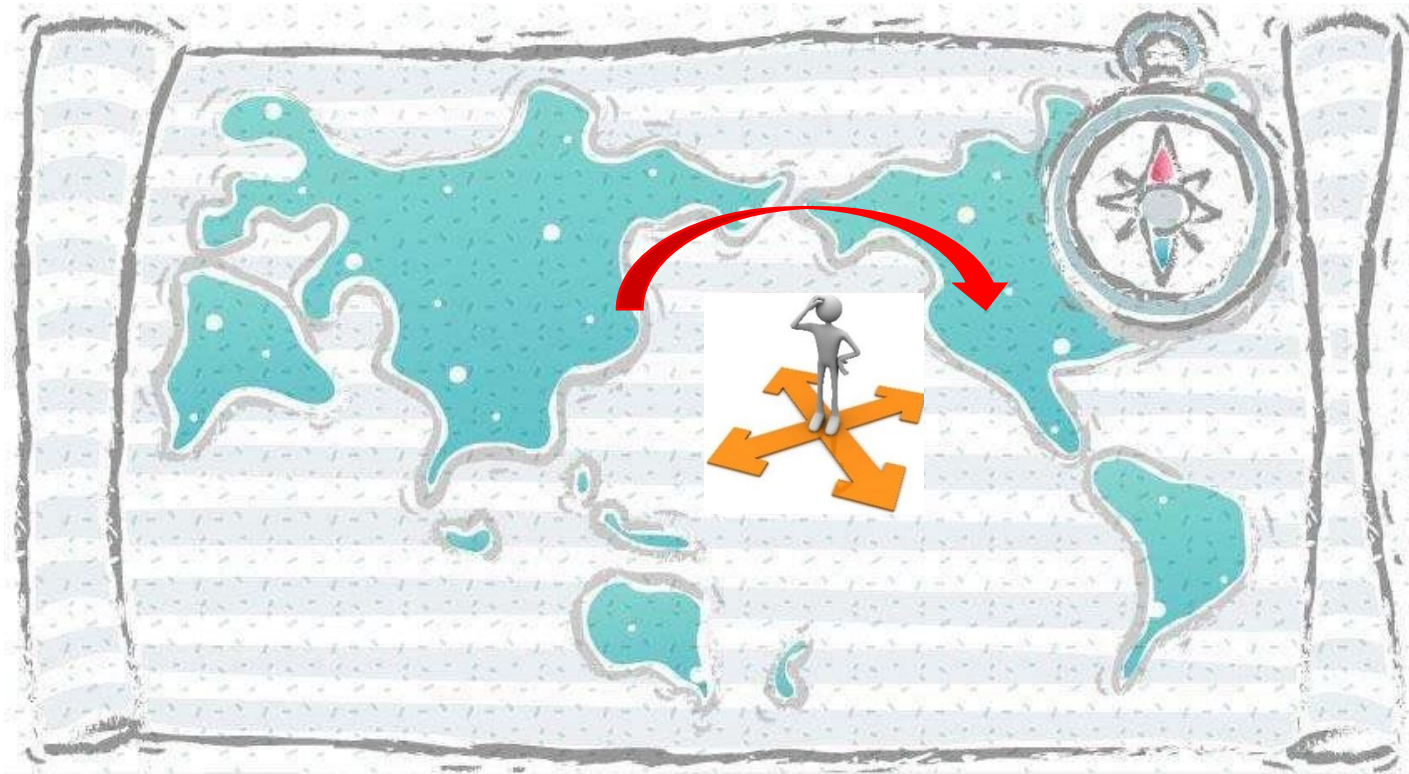
➤ $\Delta I = w \cdot \Delta X$

➤ ΔX : $m \times 1$

➤ ΔI : $n \times 1$

➤ B : $n \times m$

➤ To find matrix w



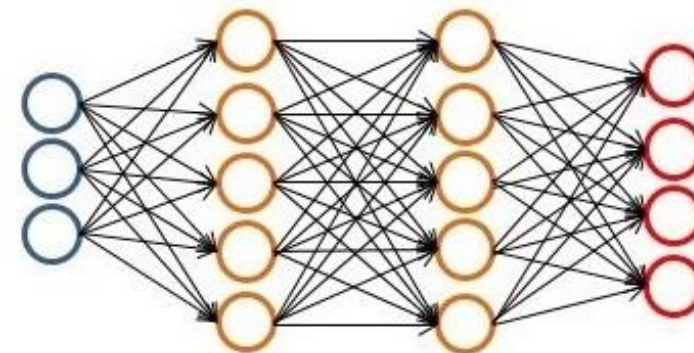
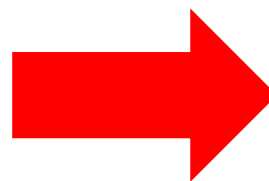
➤ Q-Learning

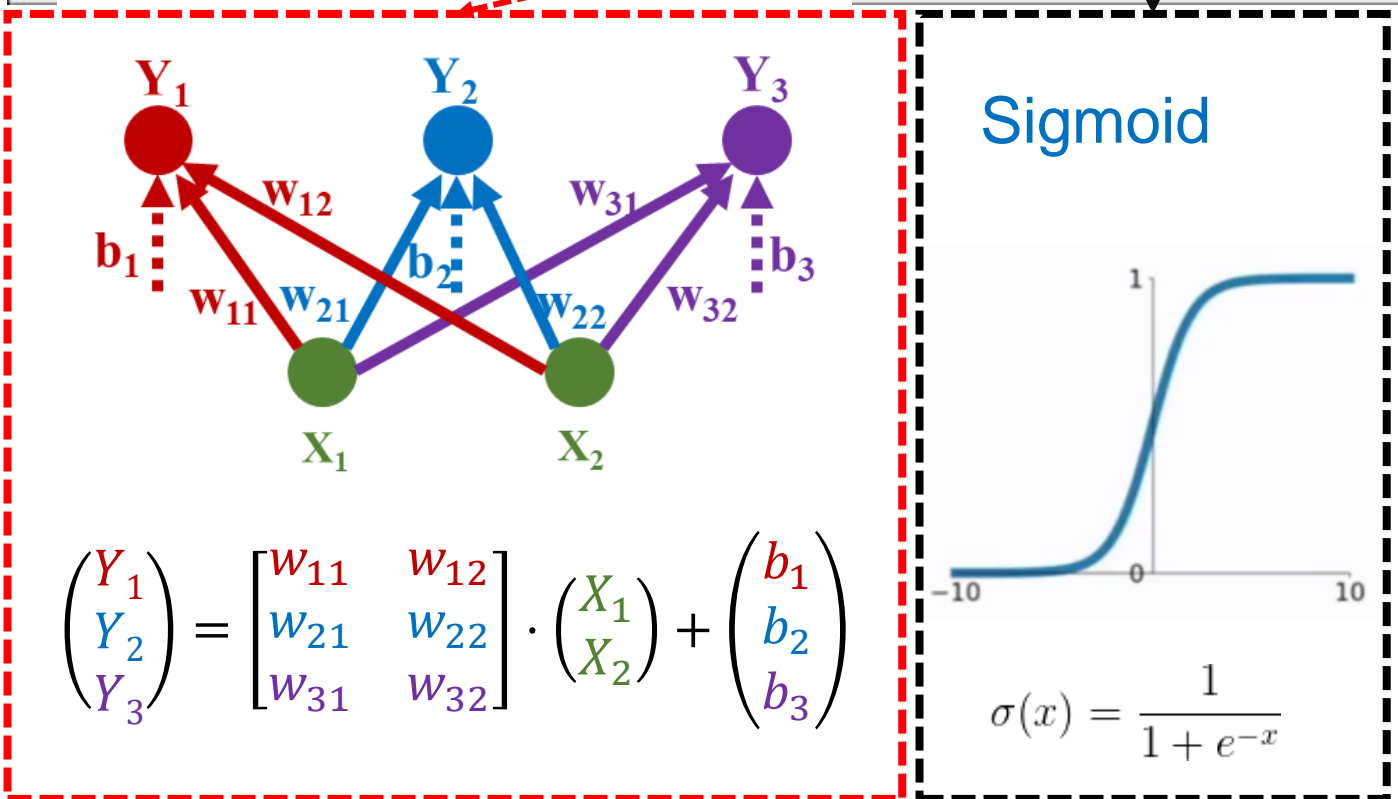
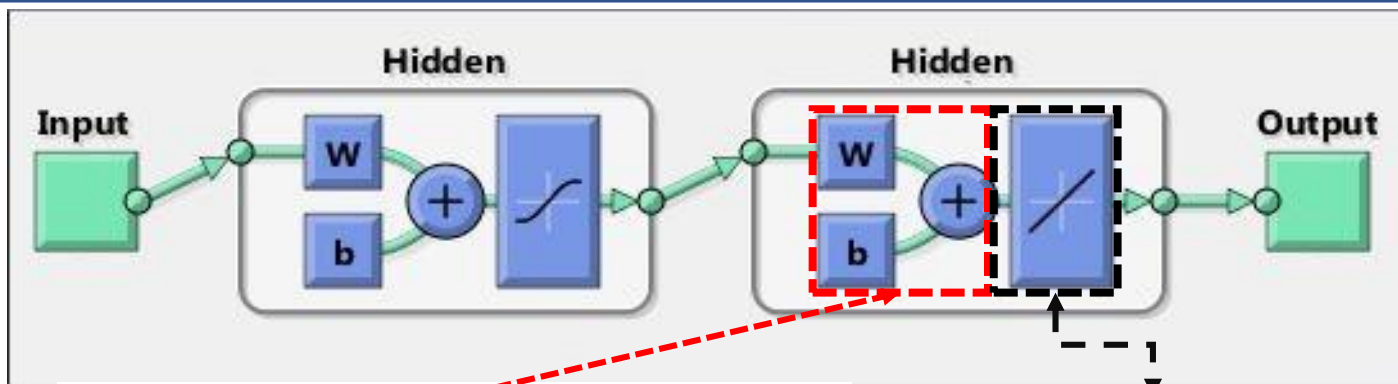
- States: Crossing indexes
- Actions: Moving directions
- $Q = Q(\text{state}, \text{action})$
- Q-Table

➤ DQN:

- Q-Table \rightarrow NN ☆ ☆ ☆ ☆ ☆
- Fixed weights
- memory recall

States	←	→	↑	↓
Crossing1	Q11	Q12	Q13	Q14
Crossing2	Q21	Q22	Q23	Q24
...	...			
CrossingN	QN1	QN2	QN3	QN4





➤ Input - Hidden * n – Output

➤ $Y = w \cdot X + b$

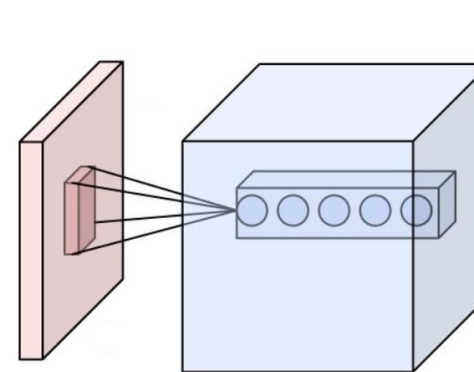
➤ $Z = \text{ActivationFunction}(Y)$

➤ Popular NN:

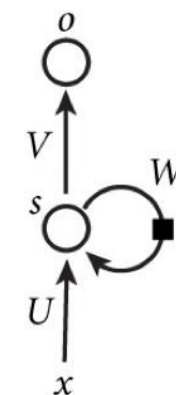
➤ FC

➤ CNN: shared-weights in space

➤ RNN: shared-weights in time



CNN



RNN

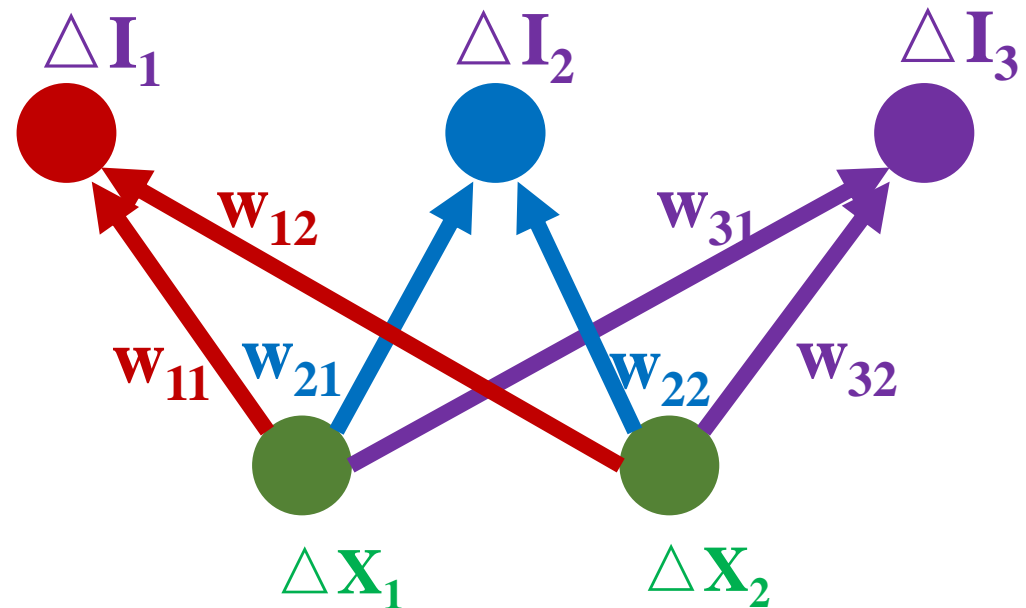


**What would happen in beam orbit correction
if we replace response matrix with neural network ?**

- Input layer : ΔX
- Output Layer : $\Delta I = w \cdot \Delta X$
- Label : $\Delta I_{_}$
- Loss = MeanSquaredError ($\Delta I, \Delta I_{_}$)

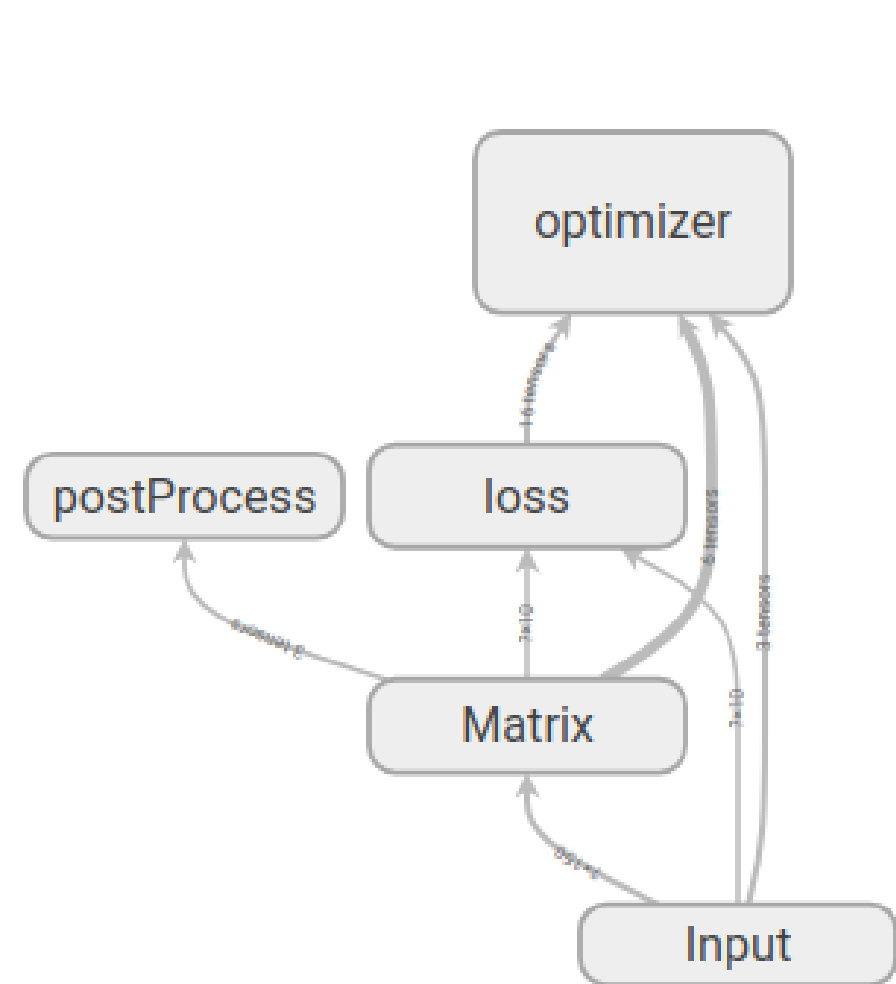
$$\Delta I = w \cdot \Delta X$$

- No hidden layer
- No bias
- No activation function

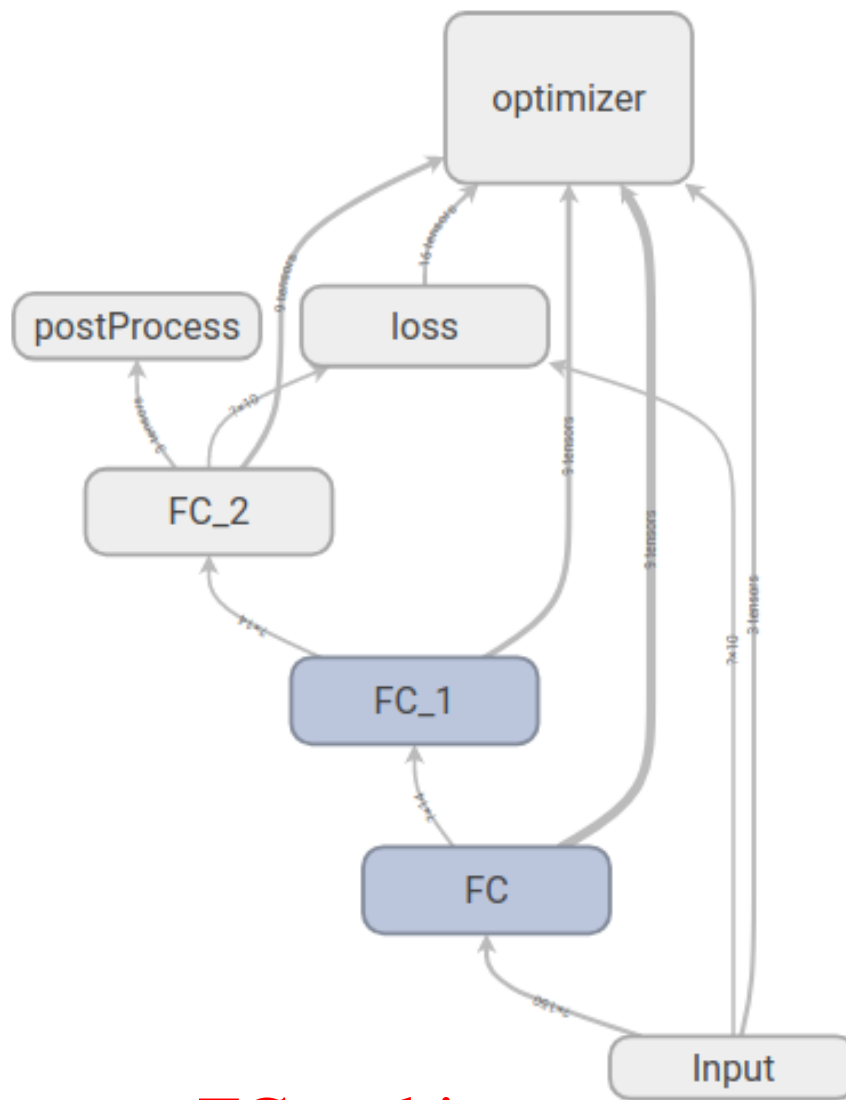


- Data collection :
 - Simulation
 - Experiment

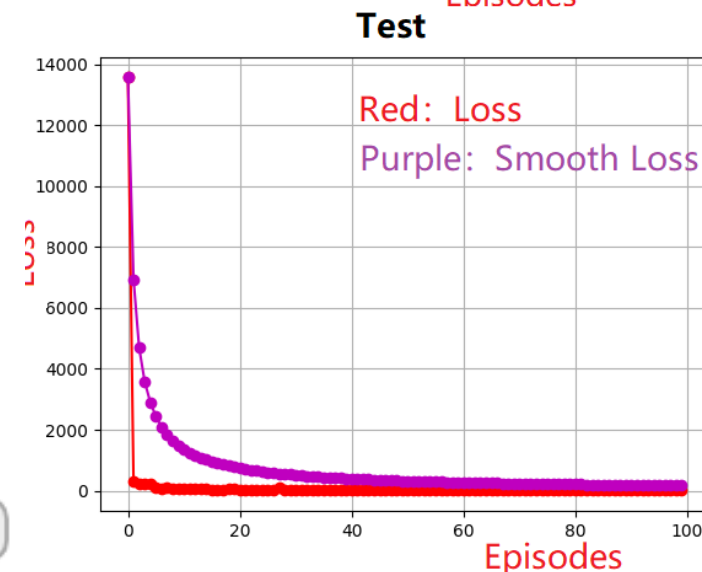
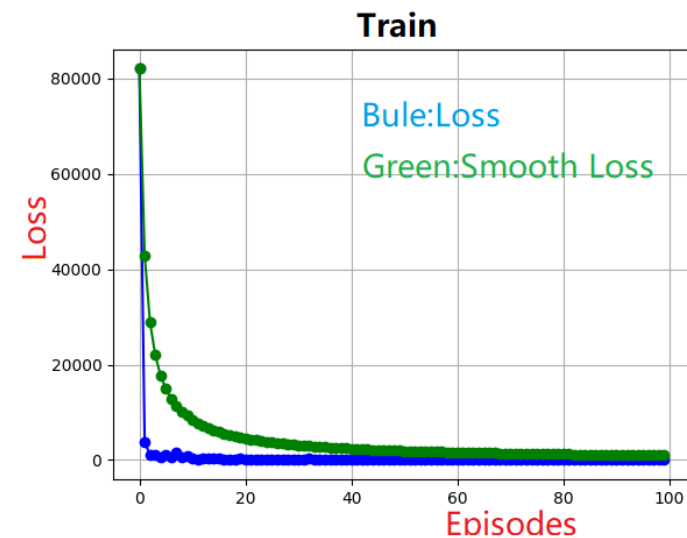
Conclusion : Response matrix is the simplest NN



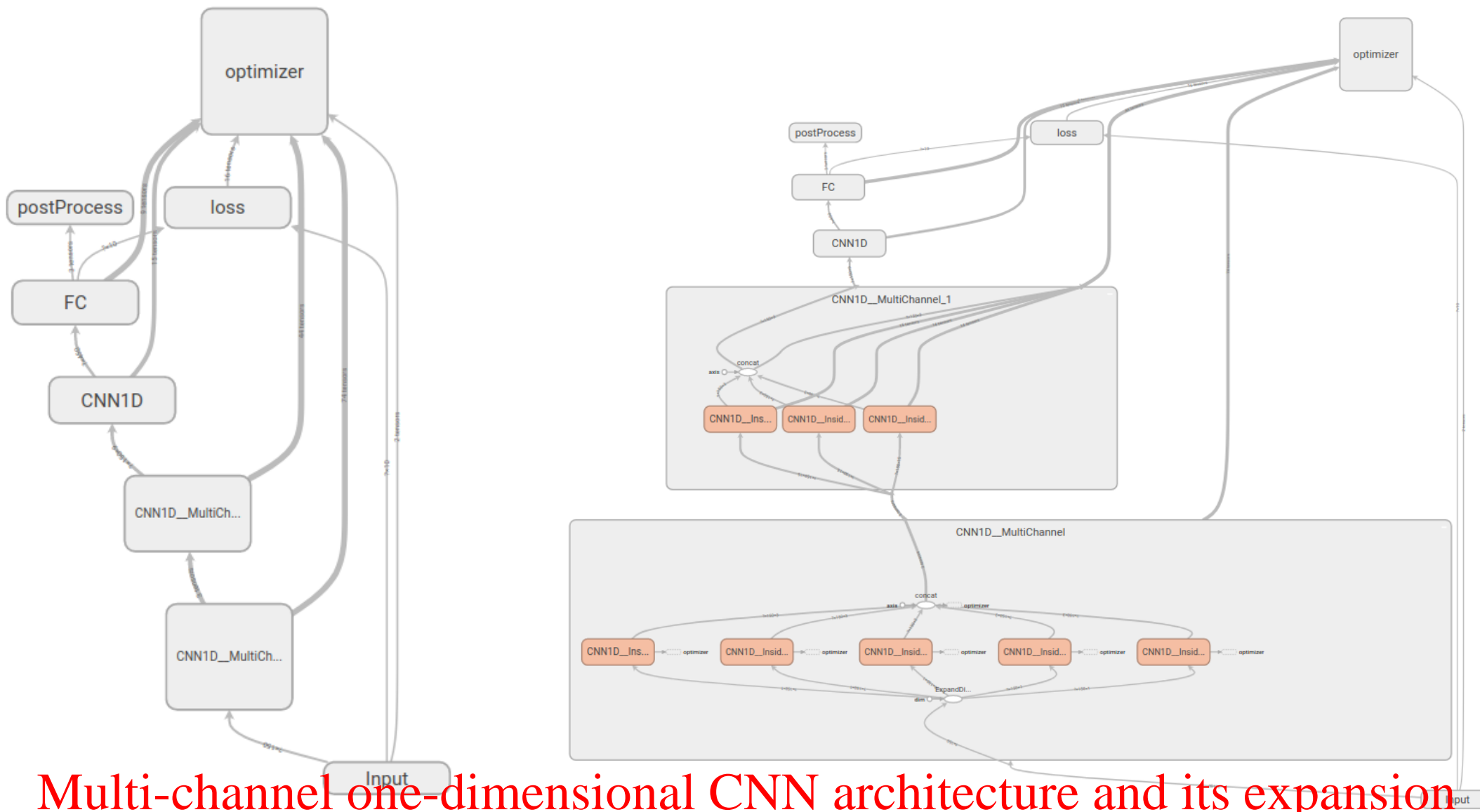
Response Matrix architecture



FC architecture



Losses along episodes



Multi-channel one-dimensional CNN architecture and its expansion

➤ Input : Output

- $\Delta X : \Delta I$
- $[\Delta X, I] : \Delta I$
- $[X, I] : I$

➤ Loss:

- MSE
- Cross entropy

➤ Experience:

- Loss would be pretty larger than 0
- Overfitting VS Nonlinear performance
- Response matrix can basically meet the needs

OS system: CentOS7

Python: 3.5

Toolkit: TF1.5

Train Set:

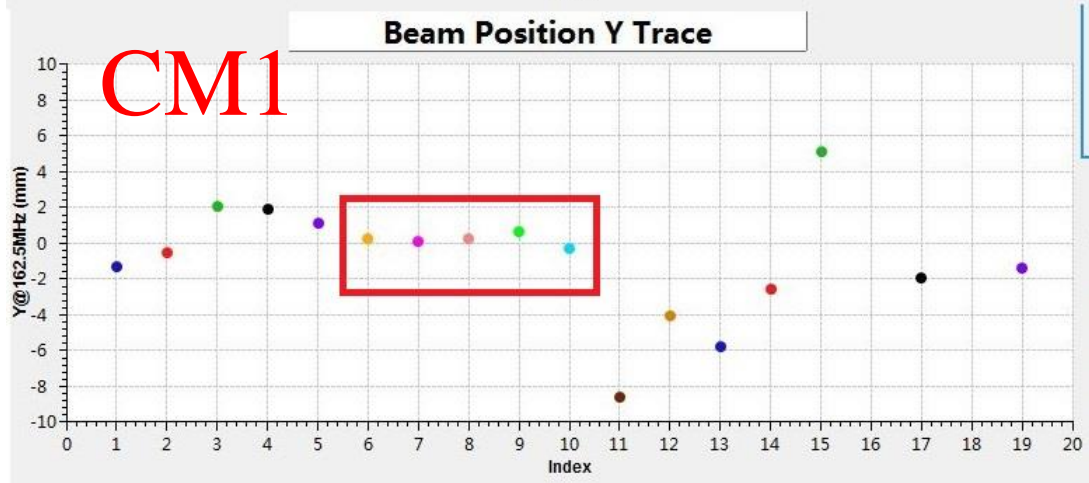
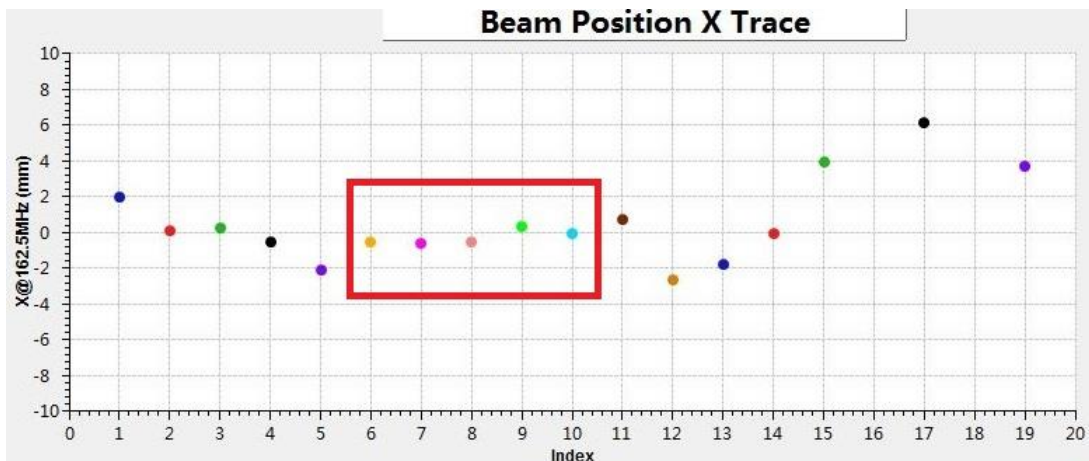
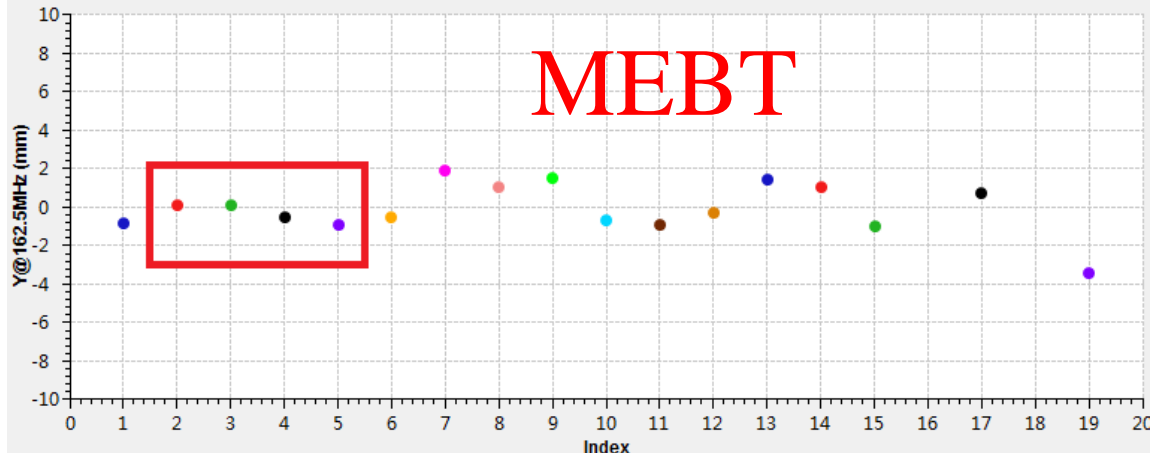
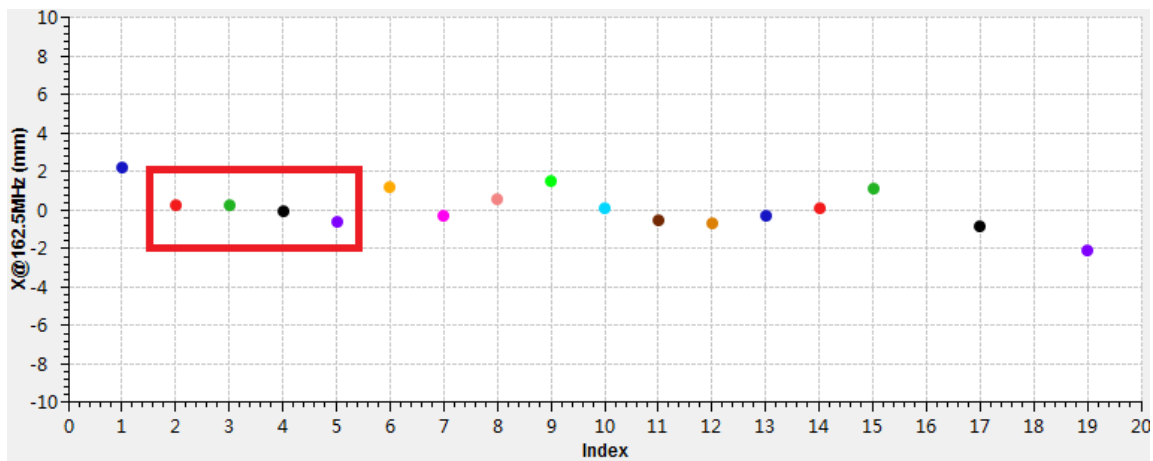
150k events (Simulation)

1.6k events (Experiment)

Test Set:

1.5k events(Simulation)

0.1k events(Experiment)



Experimental results based on MEBT and CM1 of CIADS with deep-learning

Thank you very much for your attention!

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