

# Simulating Electron Cloud Instability with POSINST

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for Miguel A. Furman

many of the slides are based on Miguel's PAC03 talk

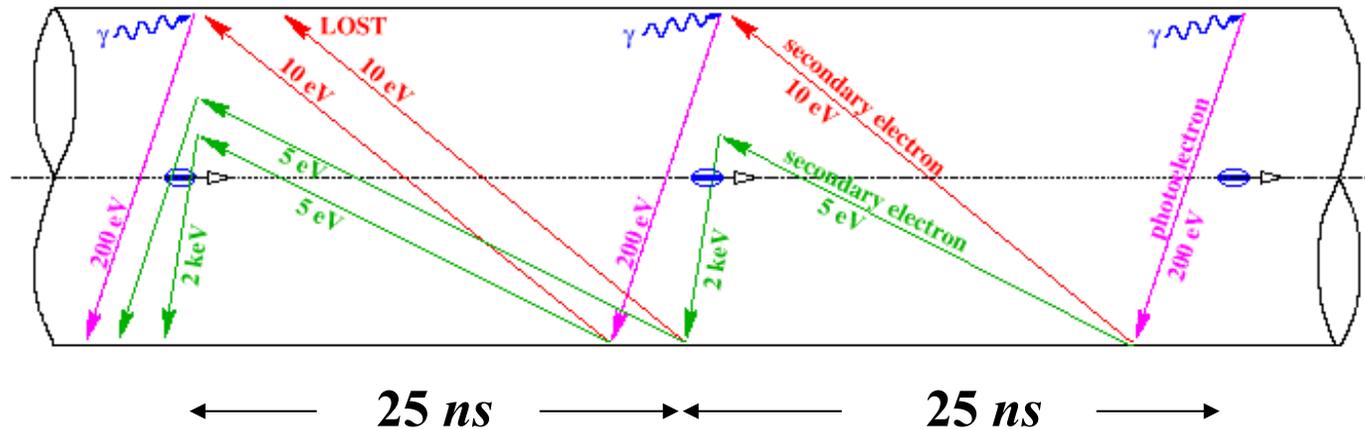


*Lawrence Berkeley National Laboratory*

# Electron Cloud Instability

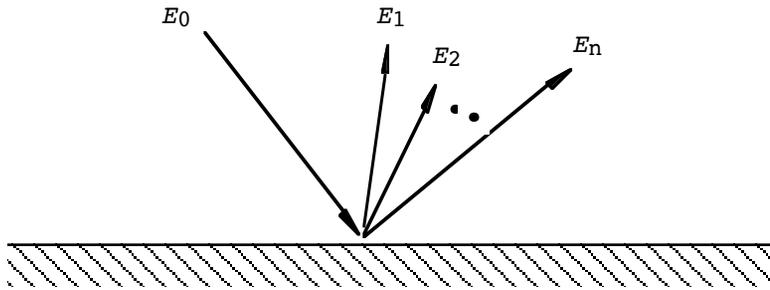
- Unwanted electrons in the vacuum chamber perturb the beam
  - coasting beams: 2-stream instability (BINP, early 60' s)
  - bunched beams: beam-induced multipacting (ISR, mid 70' s)
  - seen at PF, PEP-II, KEKB, BEPC, PS, SPS, APS, PSR, RHIC
  - expected at LHC, SNS, NLC DRs
  - surface physics effect compounded by beam structure and intensity
  - possible consequences: instability, emittance dilution, vacuum pressure rise, interference with diagnostic instrumentation, excessive power deposition
  - LBNL is an early pioneer in the field of EC simulations and analysis
  - our code POSINST incorporates a detailed model for secondary  $e^-$  emission
- Our main focus:
  - simulations for LHC, SPS, and NLC damping rings
  - identify important ingredients; mitigating mechanisms
  - code calibration: APS, PSR and SPS (lots of dedicated measurements)
- LBNL was the lead organizer of the “E-CLOUD04” ICFA workshop
  - Napa, April 19-23, 2004
  - co-sponsored by ICFA, LBNL, CERN, ORNL and SNS
  - <http://www.cern.ch/icfa-ecloud04>

# Cartoon of EC formation (LHC Case)



- Proton beam radiates
- Radiated photons release photoelectrons
- Photoelectrons are kicked by the beam and yield secondary electrons
- In general, ionization of residual gas are additional sources of electrons

# Secondary e<sup>-</sup> emission



Three main components of emitted electrons:

elastics:  $\delta_e = \frac{I_e}{I_0}$ ,

rediffused:  $\delta_r = \frac{I_r}{I_0}$ ,

true secondaries:  $\delta_{ts} = \frac{I_{ts}}{I_0}$

NB:  $d\delta/dE$  is different for e, r and ts!!!

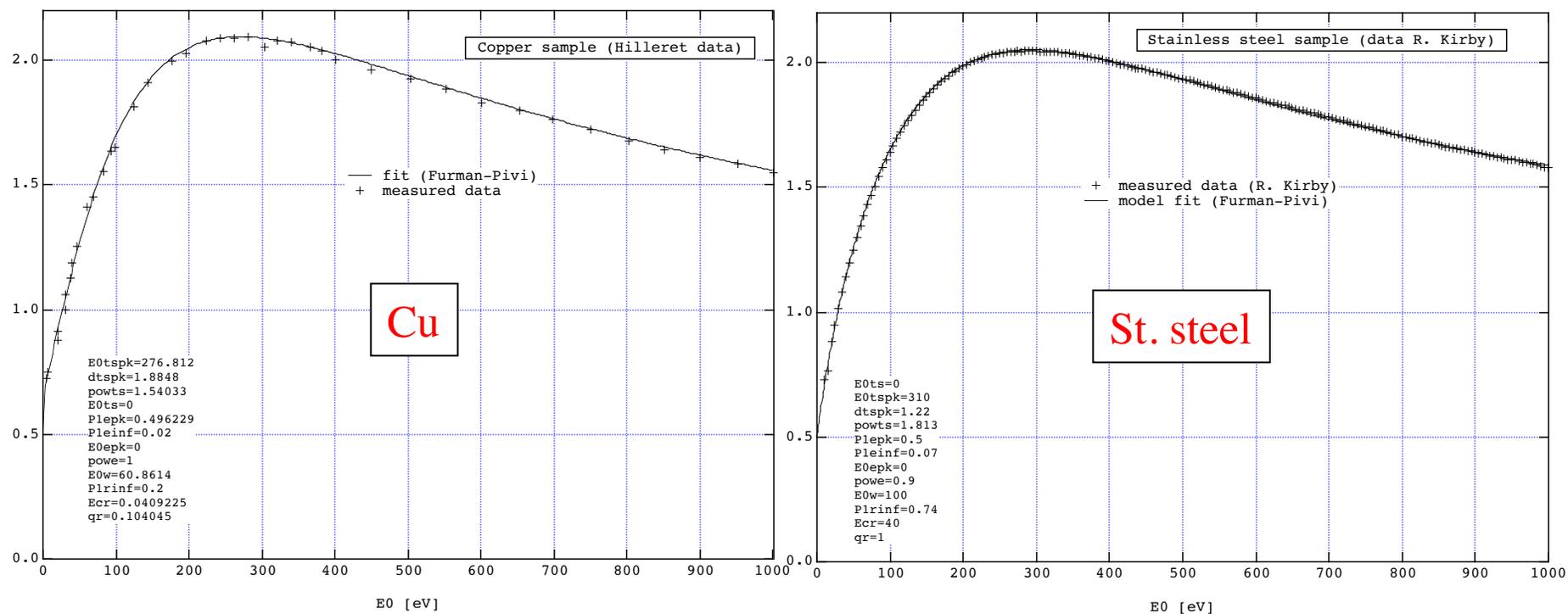
Monte Carlo code, with kicks from beam and space charge from cloud itself; beam is fixed

Simulation (Furman-Pivi, PRSTAB 5, 124404):

- event=one electron-wall collision
- instantaneous generation of n secondaries (or absorption)
- include  $E_0$  and  $\theta_0$  dependence
- detailed phenomenological model for  $\delta$  and  $d\delta/dE$



# Two sample measurements of the SEY



- caveat: samples not fully conditioned!

(N. Hilleret; R. Kirby)

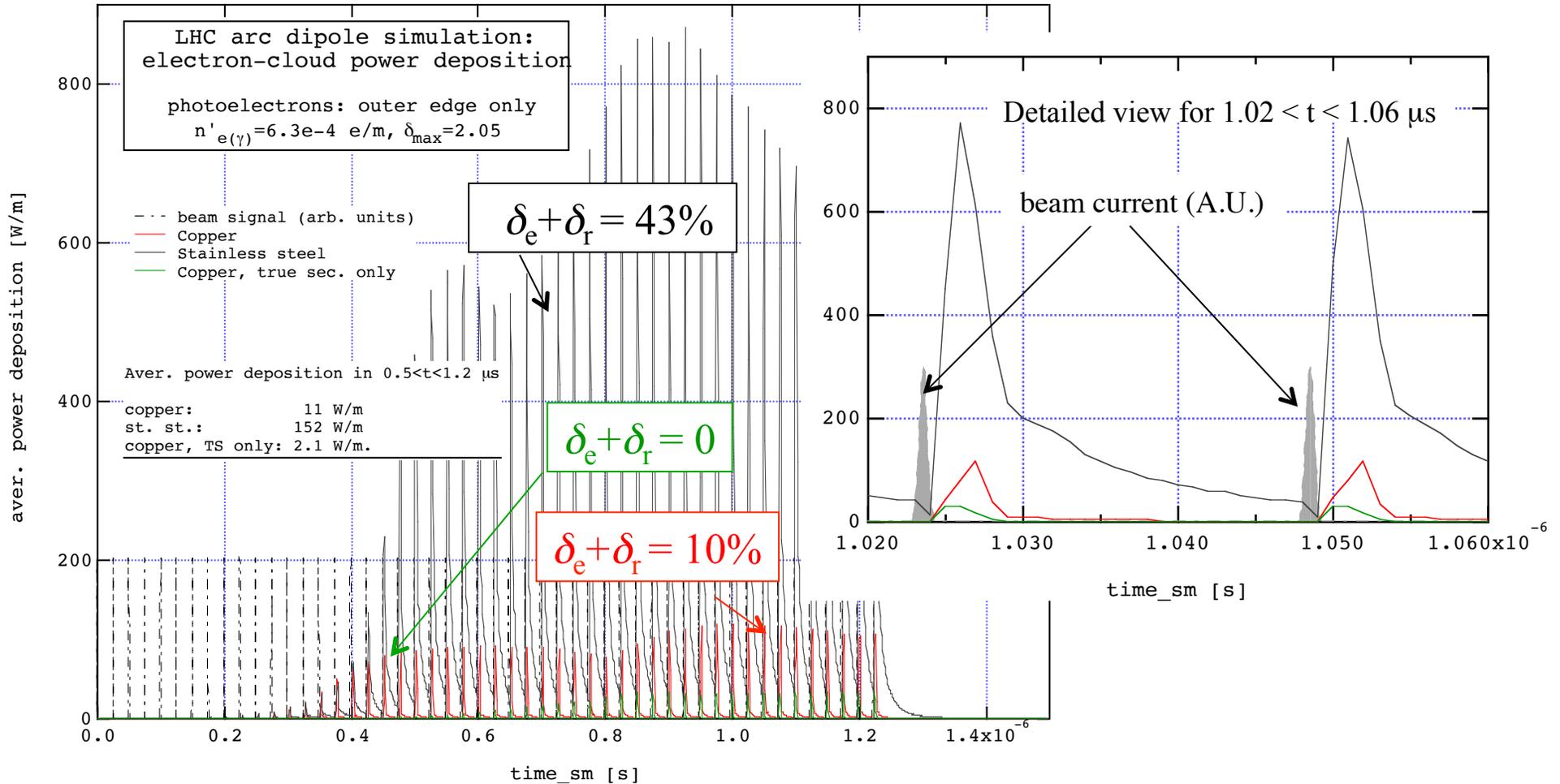


# Example: electron-cloud simulations for the LHC

- Main issue: power deposition on vacuum chamber.
  - could overwhelm the cryogenics system if not mitigated
  - main goal of simulations: detailed understanding of effects from the secondary electron emission process off the vacuum chamber surfaces
  - work in close contact with LHC personnel (LHC Vacuum Group and AP)
  - simulation benchmarking against measurements at SPS
  - EC is a likely performance-limiting issue
- Current conclusion:
  - power deposition is sensitive to details of the secondary  $e^-$  emission process
  - not completely understood
  - more work is critically needed:
    - improved simulations
    - better input data for the simulations

# Example: sensitivity to details of secondary emission

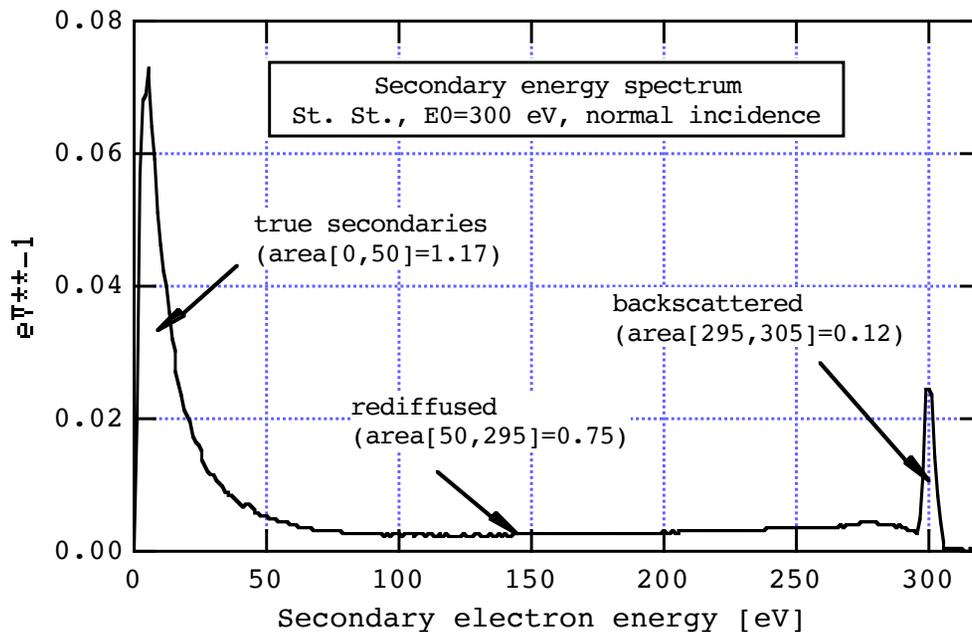
POSINST: Simulated power deposition (W/m) vs. time in an LHC arc dipole  
(for peak SEY=2.05, on the “pessimistic” side)



# Sample spectrum: $d\delta/dE$

- Depends on material and state of conditioning

– St. St. sample,  $E_0=300$  eV, normal incidence, (Kirby-King, NIMPR A469, 1 (2001))



st. steel sample

$$\delta = 2.04$$

$$\delta_e = 6\%$$

$$\delta_r = 37\%$$

$$\delta_{ts} = 57\%$$

$$\delta_e + \delta_r = 43\%$$

Cu sample

$$\delta = 2.05$$

$$\delta_e = 1\%$$

$$\delta_r = 9\%$$

$$\delta_{ts} = 90\%$$

$$\delta_e + \delta_r = 10\%$$

– Hilleret's group CERN: Baglin et al, CERN-LHC-PR 472.

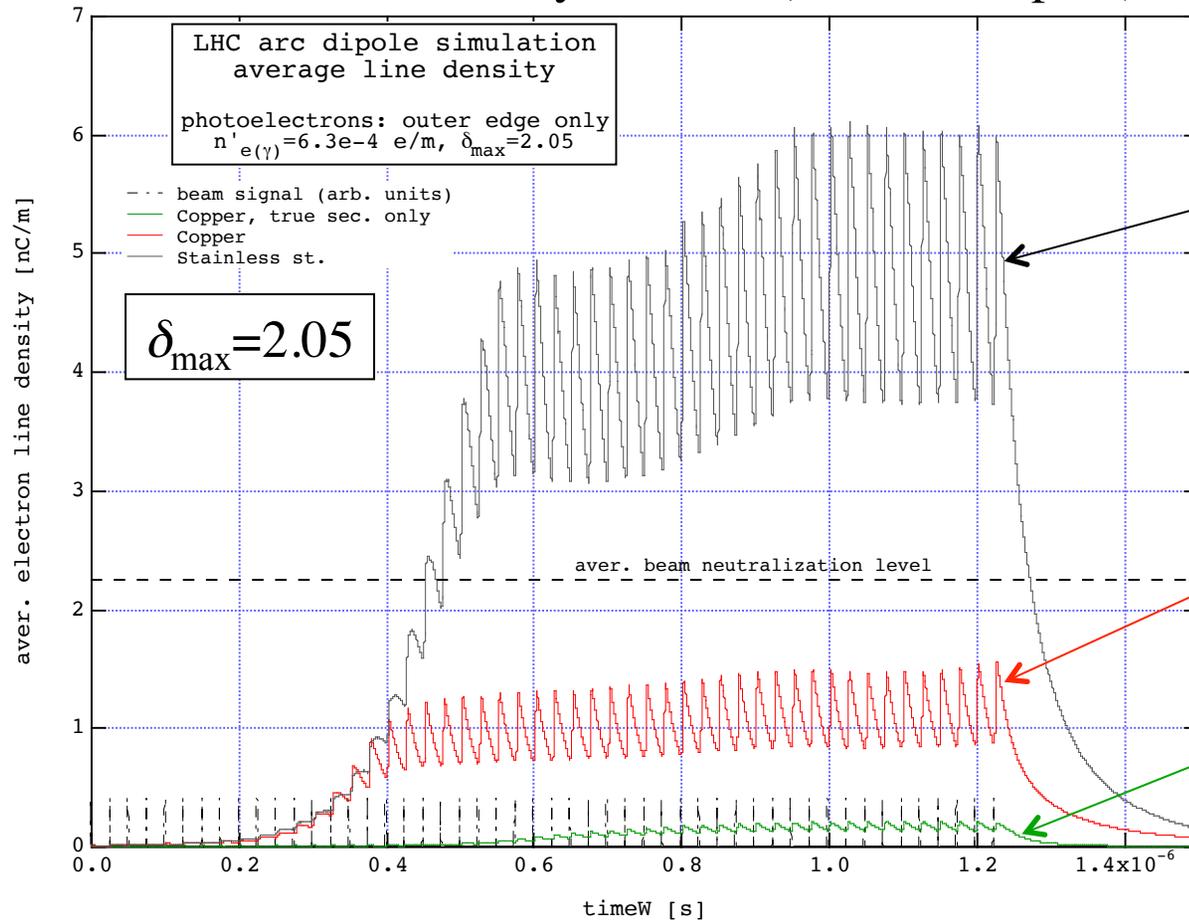
– Other measurements: Cimino and Collins, 2003)



# Sensitivity to relative ratios of $\delta_e$ , $\delta_r$ and $\delta_{ts}$ : LHC

- LHC simulation  $\delta_{\max}$  fixed at 2.05;  $N = 1.05 \times 10^{11}$
- dominated by photoelectrons;  $n'_{e(\gamma)} = Y * n'_\gamma = 6.3 \times 10^{-4} \text{ e/m}$

electron line density vs. time (LHC arc dipole)



$\delta_e + \delta_r = 43\%$

$\delta_e + \delta_r = 10\%$

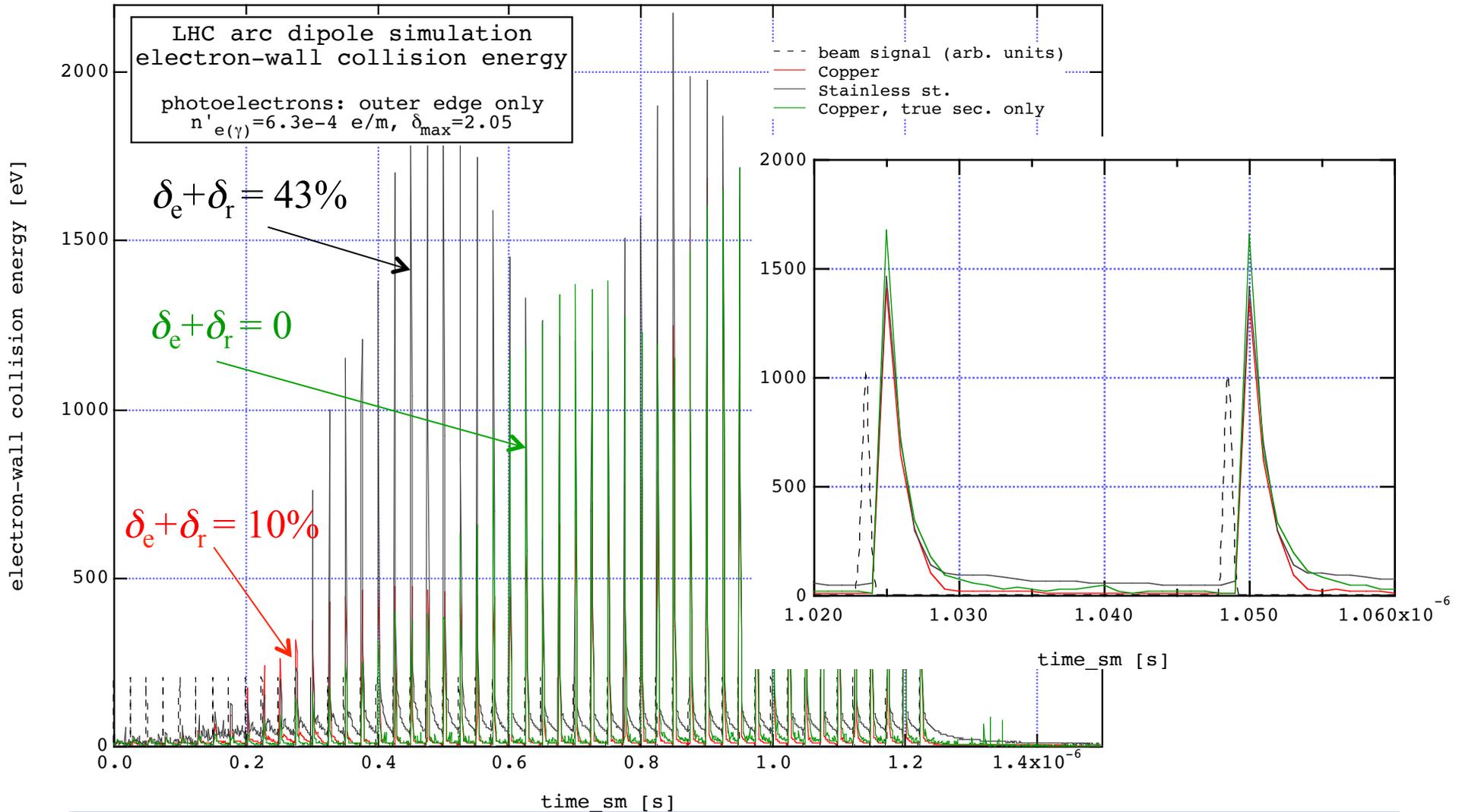
$\delta_e + \delta_r = 0$

(Furman-Pivi  
EPAC02)



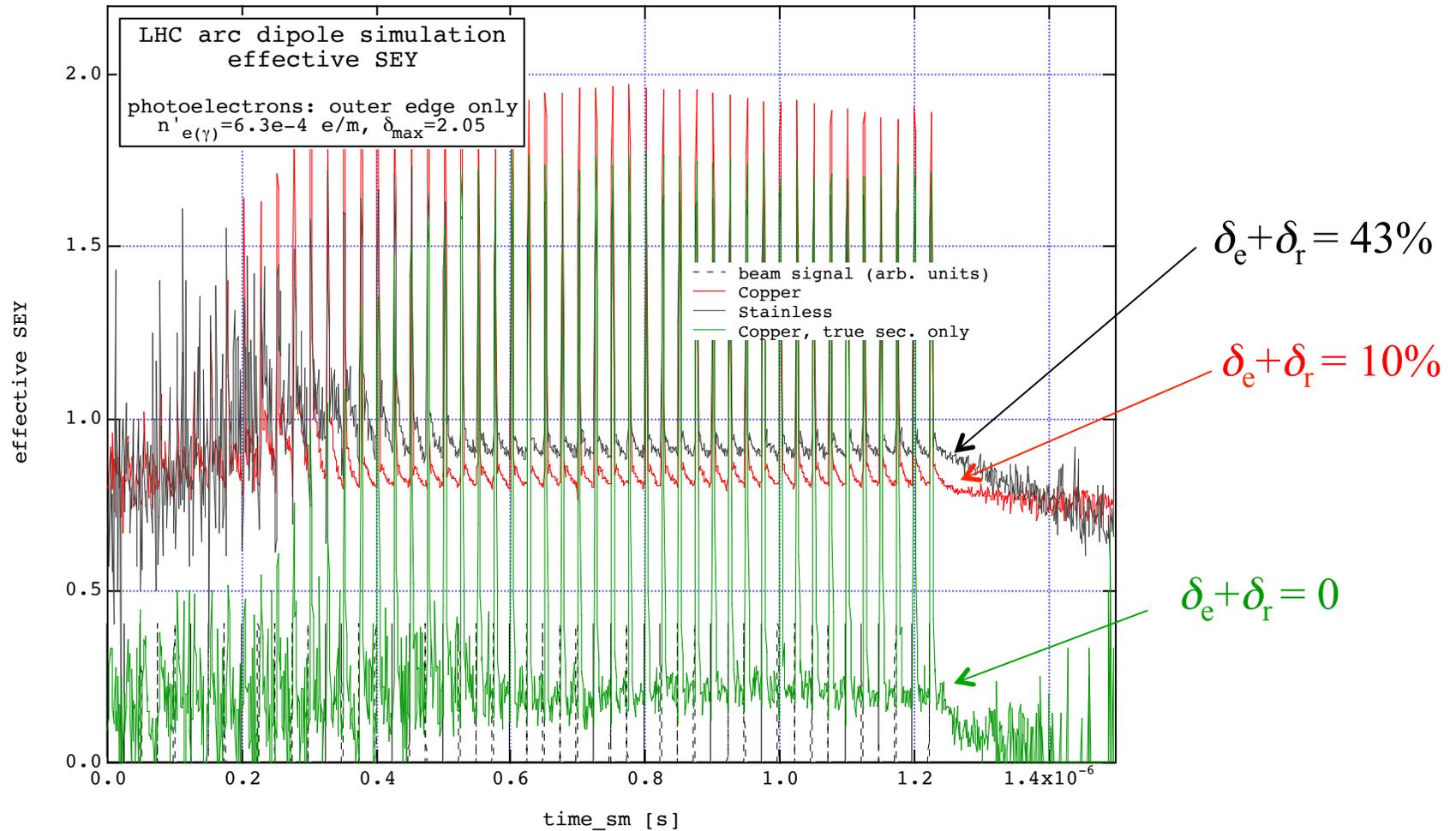
# Sensitivity to relative ratios of $\delta_e$ , $\delta_r$ and $\delta_{ts}$ : LHC

$e^-$ -wall collision energy vs. time (LHC arc dipole)



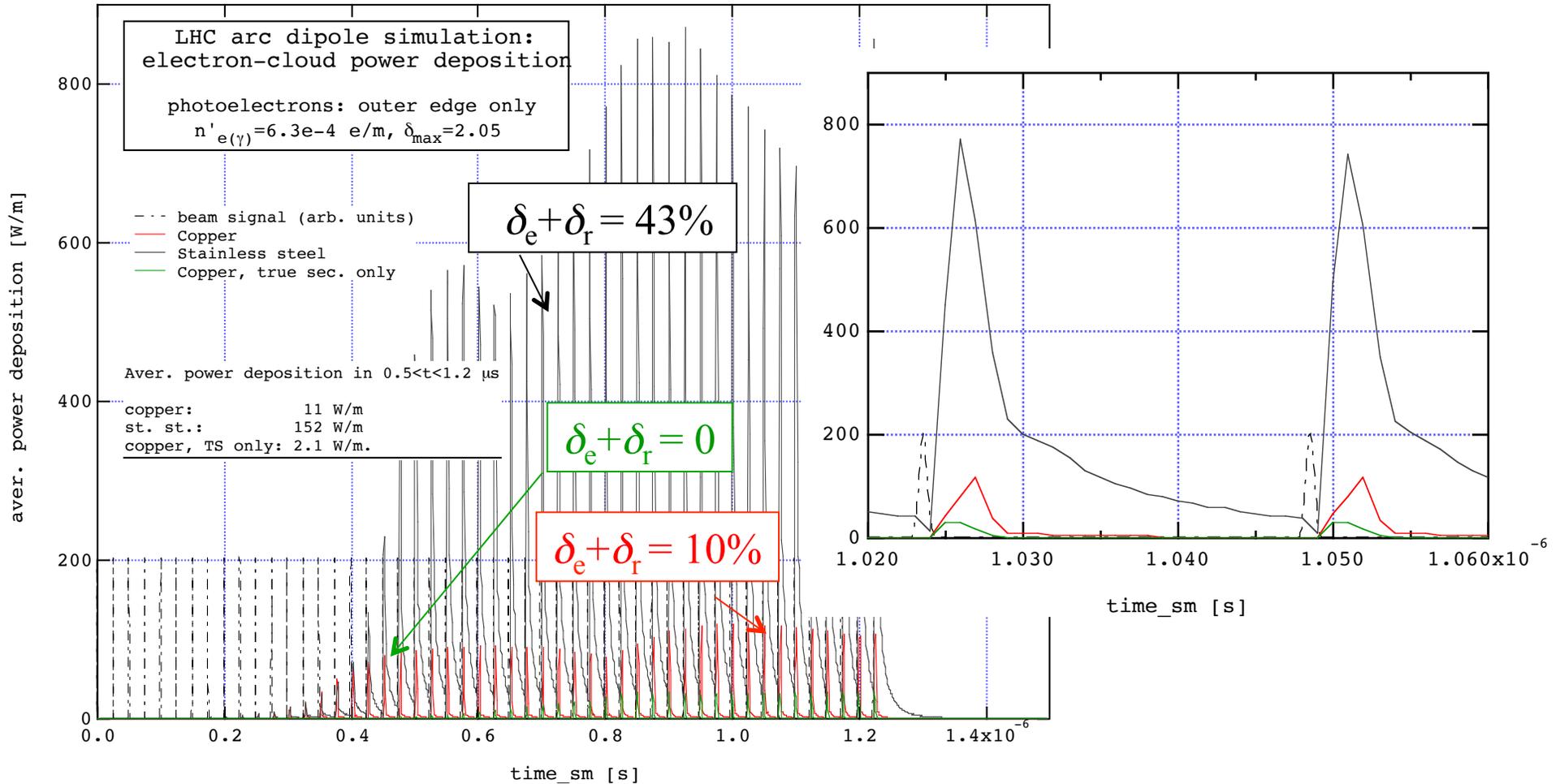
# Sensitivity to relative ratios of $\delta_e$ , $\delta_r$ and $\delta_{ts}$ : LHC

effective SEY vs. time (LHC arc dipole)

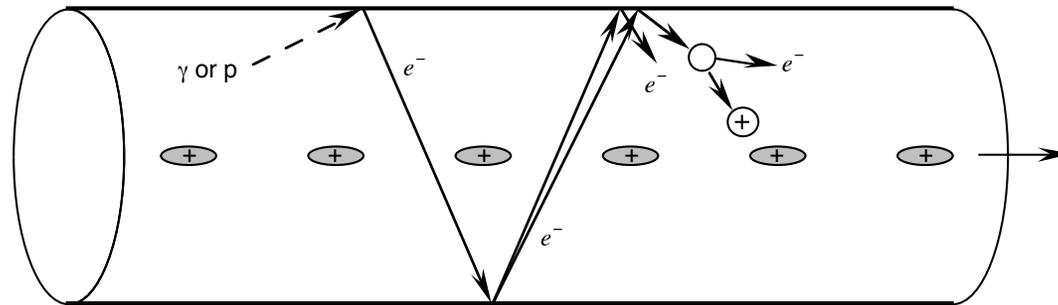


# Sensitivity to relative ratios of $\delta_e$ , $\delta_r$ and $\delta_{ts}$ : LHC

power deposition vs. time (LHC arc dipole)



# EC formation: beam-induced multipacting (BIM)



- train of short bunches, each of charge  $Q = NZe$ , separated by  $s_b$
- $\Delta t = e^-$  chamber traversal time
- $b =$  chamber radius (or half-height if rectangular)

The parameter  $G = \frac{ZNr_e s_b}{b^2}$  defines 3 regimes:  $\left( r_e = \frac{e^2}{mc^2} = 2.82 \times 10^{-15} \text{ m} \right)$

$$G \begin{cases} < 1 & \text{short bunch spacing } (s_b/c < \Delta t) \\ = 1 & \text{resonant (BIM) } (s_b/c = \Delta t) \\ > 1 & \text{long bunch spacing } (s_b/c > \Delta t) \end{cases}$$

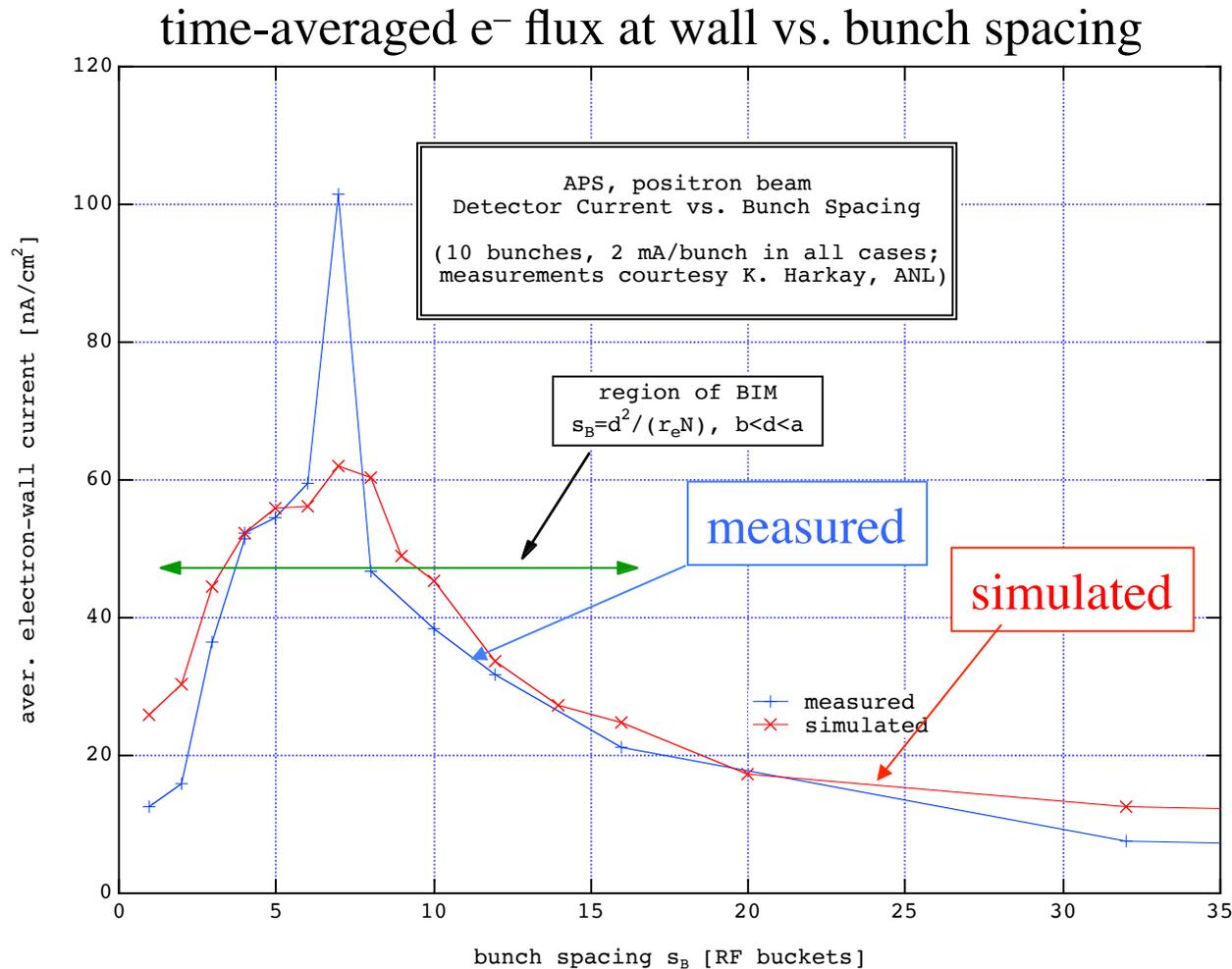
(also for solenoidal field  
if  $T/2 = s_b/c$ )

If  $G = 1$  and  $\delta_{\text{eff}} > 1$ , EC can grow dramatically (O. Gröbner, ISR; 1977)



# BIM in the APS

- $e^+$  beam, 10-bunch train, field-free region

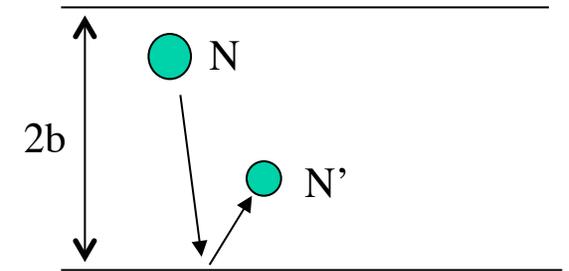


(Furman, Pivi, Harkay,  
Rosenberg, PAC01)



# EC dissipation - simplest analysis

- beam has been extracted, or gap between bunches
- field-free region, or constant B field
- assume monoenergetic blob of electrons
- neglect space-charge forces



definition of  $\delta_{\text{eff}}$ :  $N' = \delta_{\text{eff}}N$

after  $n$  bounces:  $N_n = N e^{-n\Delta t/\tau}$

therefore:  $\delta_{\text{eff}} = N'/N = e^{-\Delta t/\tau}$

where  $\Delta t = \text{traversal time} = \frac{b}{c} \sqrt{\frac{2mc^2}{E}}$  and  $\tau = \text{dissipation time}$

$$\text{therefore } \delta_{\text{eff}} = \exp \left\{ -\frac{b}{c\tau} \sqrt{\frac{2mc^2}{E}} \right\}$$

simulations show that this formula works to within  $\sim 20\%$

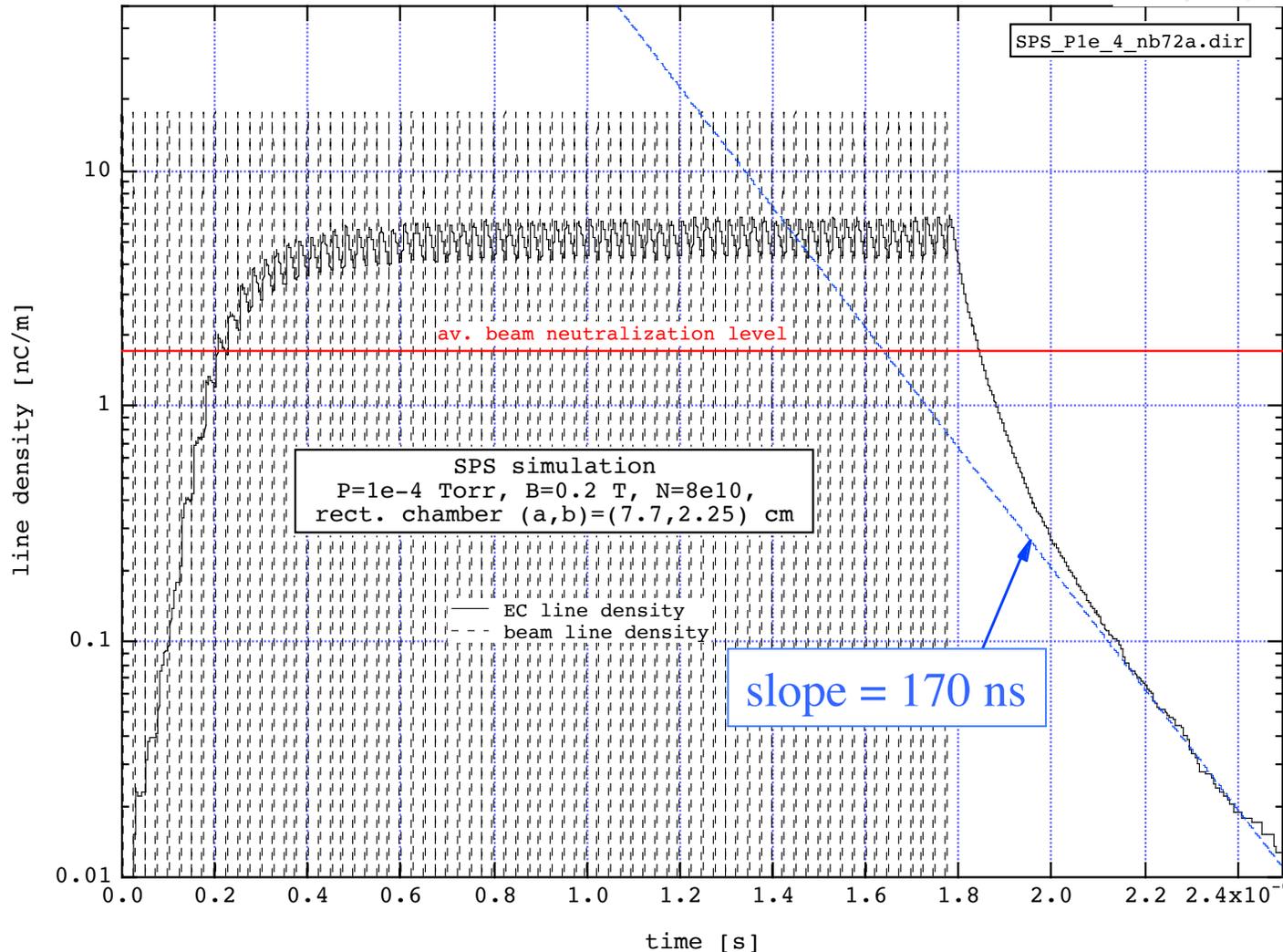
If not monoenergetic and not along a straight line, then

$$\delta_{\text{eff}} = K \int dE \rho_E(E) \delta_0(E) = \exp \left\{ -\frac{b}{c\tau} \int dE \rho_E(E) \sqrt{\frac{2mc^2}{E}} \right\} \quad \text{where } K=f(\text{angles}) \approx 1.1-1.2$$



# EC dissipation after beam extraction: SPS simulation

- stainless steel chamber, dipole magnet,  $B = 0.2$  T,  $N = 8 \times 10^{10}$
- dominant primary process: residual gas ionization;  $n'_{e(ion)} = 6.6 \times 10^{-4}$  e/m



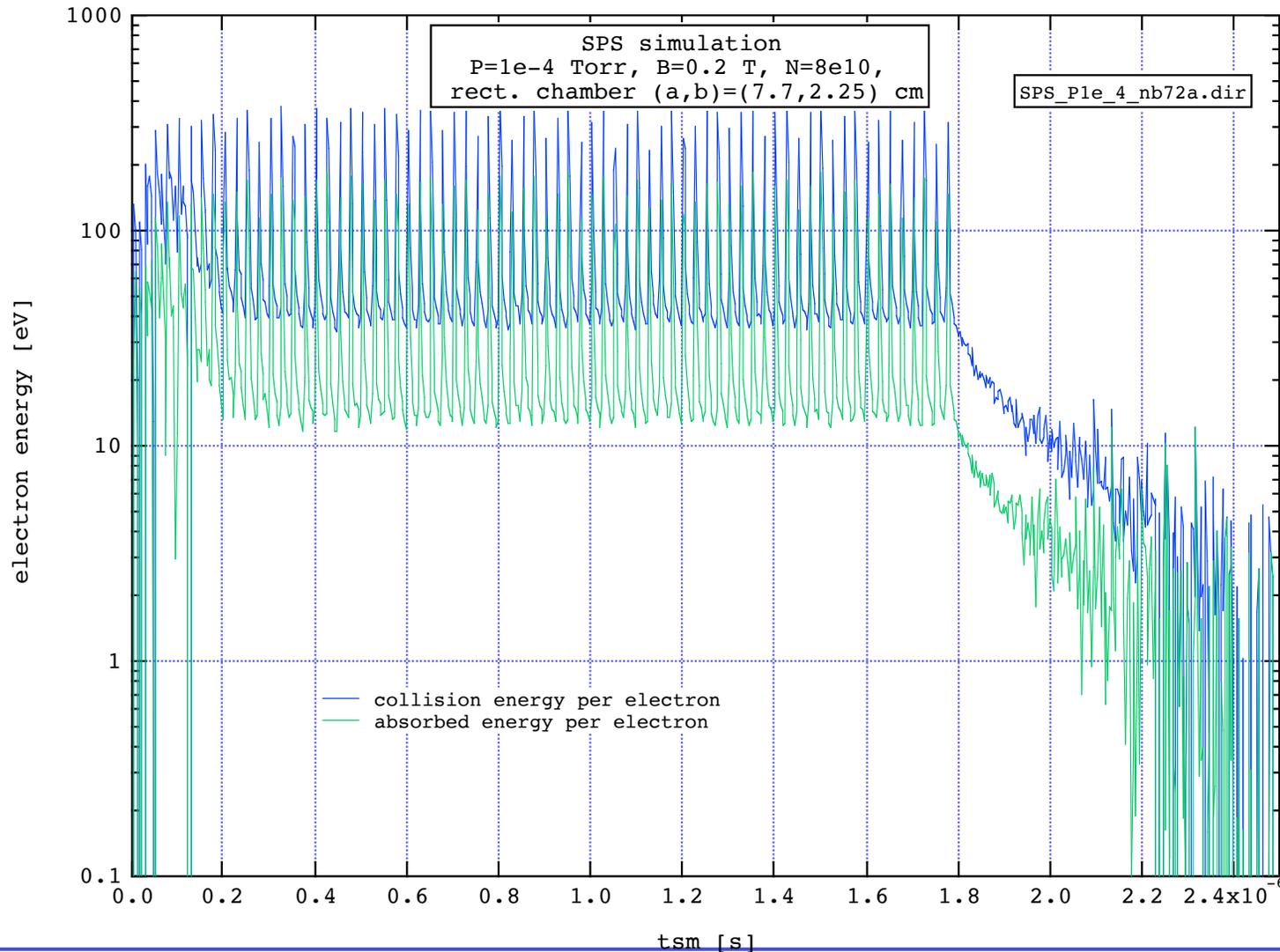
NB:  $p_{vac}$  is  
>> nominal

input SEY:  
 $\delta_{max} = 1.9$   
 $\delta(0) = 0.5$



# EC dissipation after beam extraction: SPS simulation

$e^-$ -wall collision energy vs. time (B-field region)



# Conditioning effects: beam scrubbing

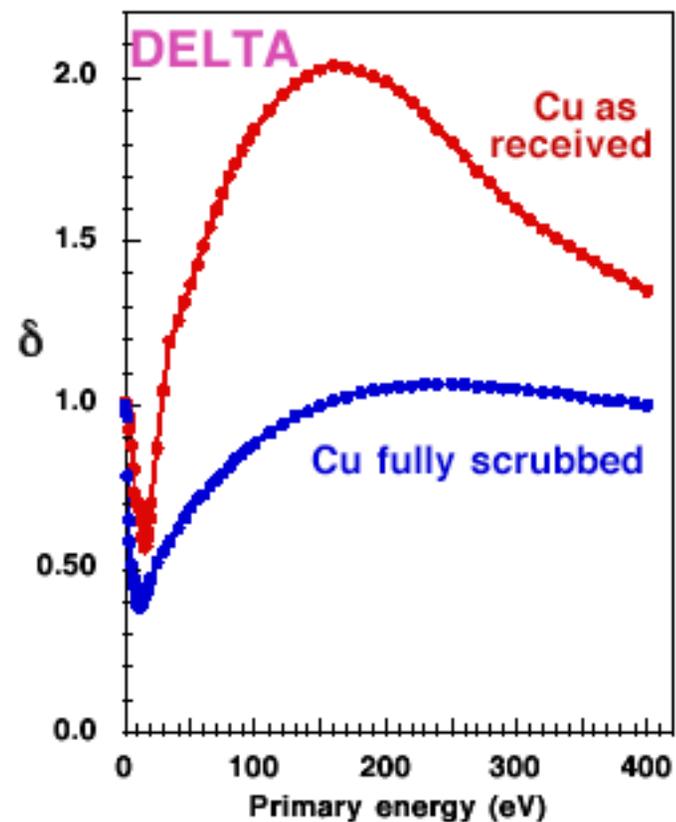
- Decrease of SEY by  $e^-$  bombardment
  - self-conditioning effect for a storage ring: “beam scrubbing”
- SPS EC studies (M. Jiménez; F. Zimmermann):
  - 3+ years of dedicated EC studies with dedicated instrumentation
  - scrubbing very efficient; favorable effects seen in:
    - vacuum pressure
    - in-situ SEY measurements
    - electron flux at wall
  - $e^-$  energy distribution in good agreement with simulations above 30 eV
  - TiZrV coating fully suppresses multipacting after activation



# Conditioning effects—contd.

- consistent with bench results for Cu found at CERN!
  - the result  $\delta(0) \approx 1$  seems unconventional
  - if validated, it could have a significant unfavorable effect on the EC power deposition in the LHC
    - because electrons survive longer in between bunches

Copper SEY (CERN)



(R. Cimino and I. Collins, proc. ASTEC2003, Daresbury Jan. 03)

