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#### **Updates from the Lab**

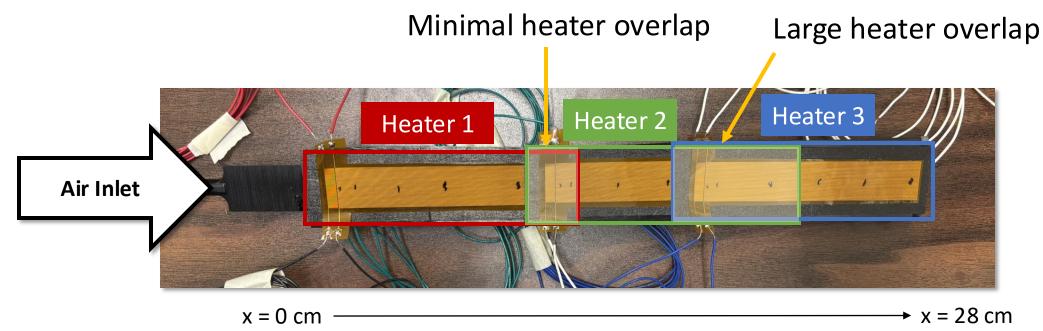
Nikki Apadula

LBNL EIC meeting

June 24, 2025



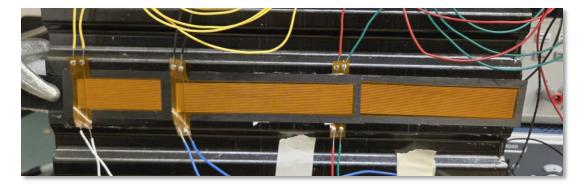
# **Testing Approach**



- Temp measured at different x values along corrugation (0 28 cm)
  - One point taken at each LEC position
- Data taken at 4-5 different air velocity values
- Taken at MAX and NOM powers

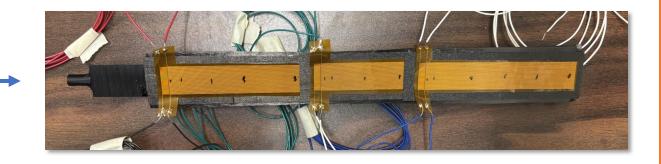


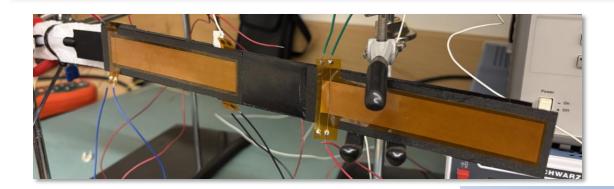
#### Thermal test pieces



Large corrugated piece with one channel used All heaters outward facing 3<sup>rd</sup> LEC hidden

Single corrugation channel #1 & #2 All heaters facing outward All LEC visible



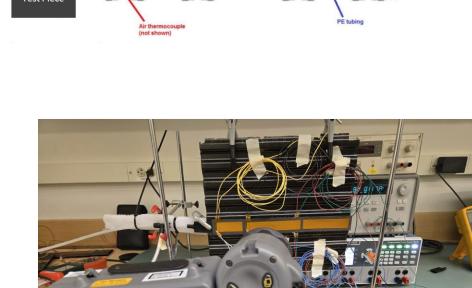


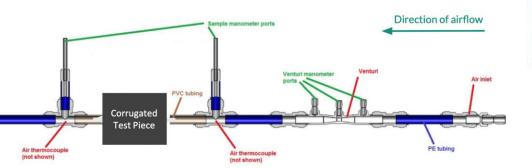
Single corrugation channel #3 One heater inward facing 2<sup>nd</sup> heater hidden

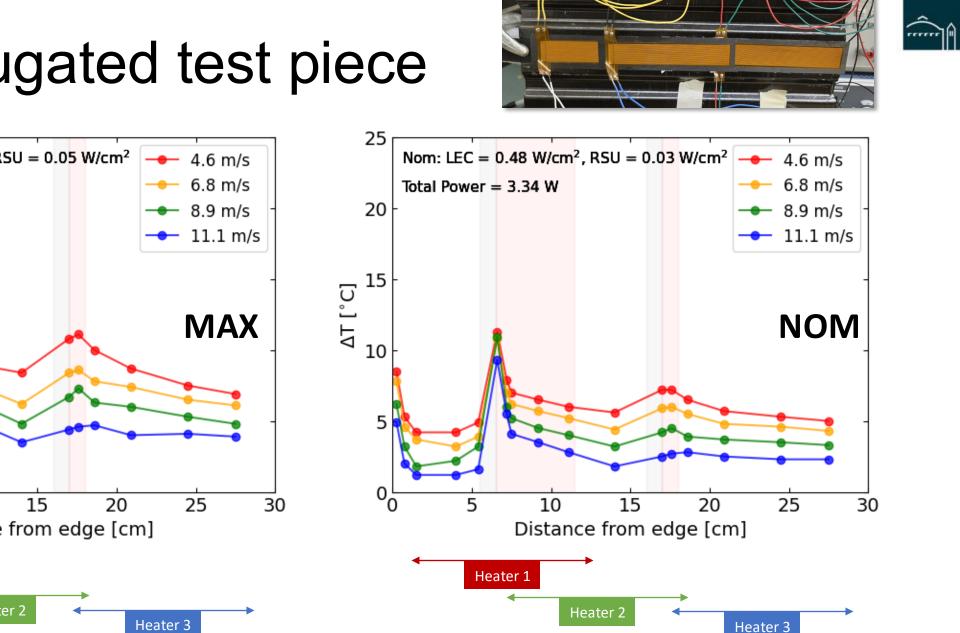
# Test setup & caveats

- Held in same orientation as planned in ePIC
- Using thermal camera  $\rightarrow$  ~0.5°C fluctuations
- $\Delta T = T_{BrightTemp} T_{DarkTemp}$ 
  - Dark temp taken with air flowing, but no power
  - Bright temp taken with air flowing and power on
- Cannot measure  $\Delta T$  of sections we cannot see, i.e. hidden behind overlap
- Air velocity limited by setup safety

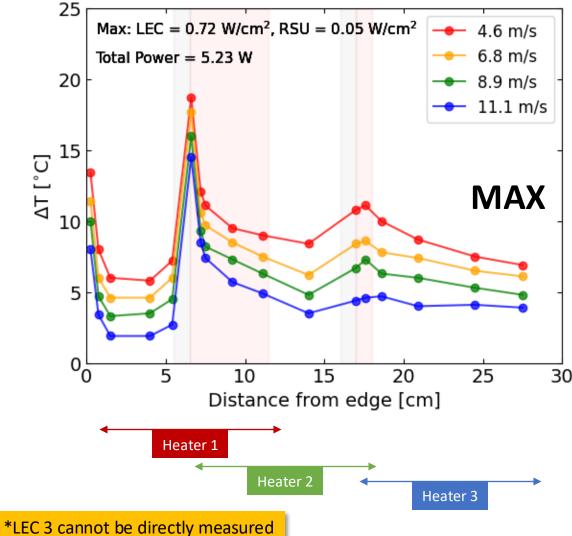
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#### Large corrugated test piece

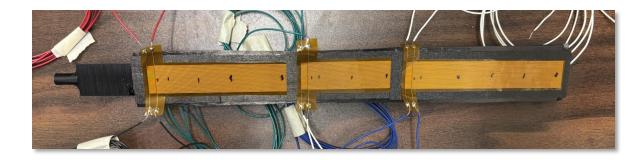


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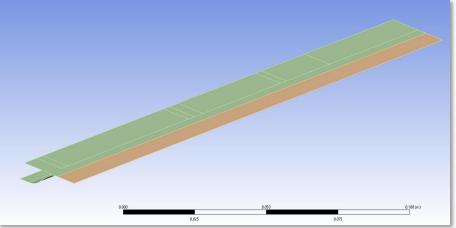


# Single Corrugation Test Piece #1

- Isolate natural convection & forced convection
- Minimize conduction through the corrugation
- Provide input to thermal model
- Expect  $T_{heater}$  to increase as  $T_{air}$  increases
  - T<sub>heater</sub> should peak at the LECs (higher power density)

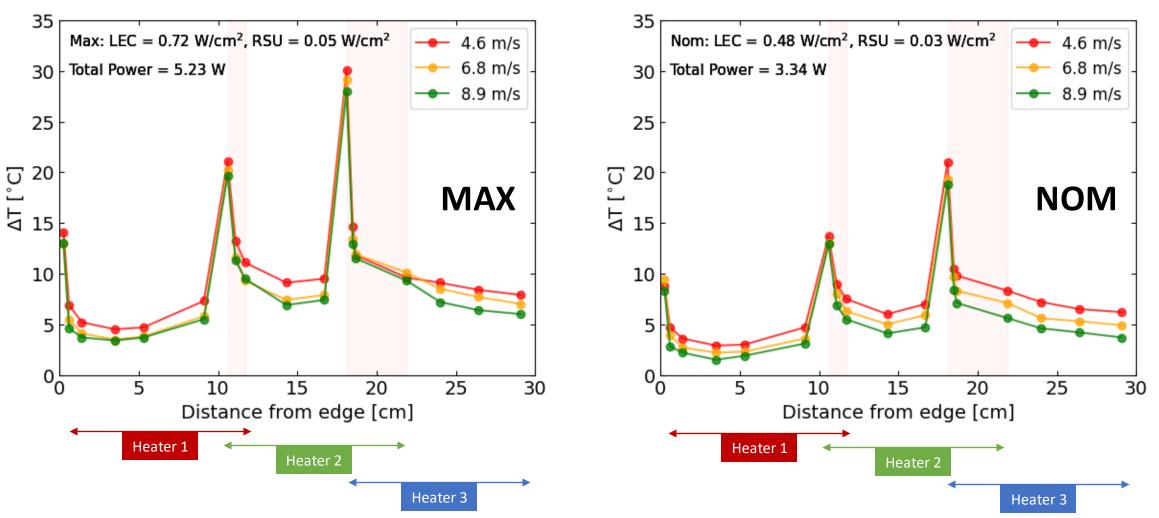






## Thermal gradient





T does not vary much with air speed and significant T increase with each heater

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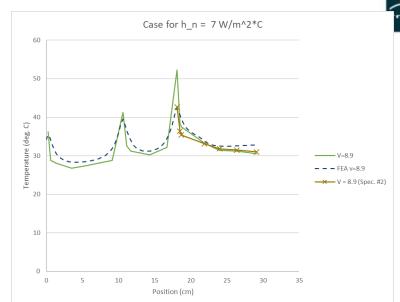
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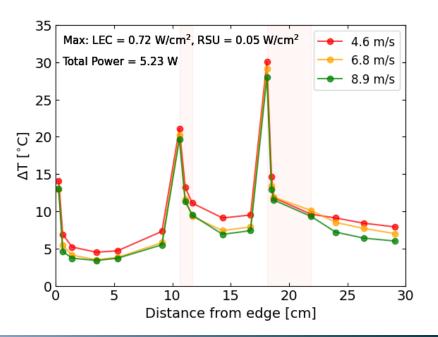
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# High $\Delta T$ investigation

#### • Why is LEC 3 so much hotter than LEC 2?

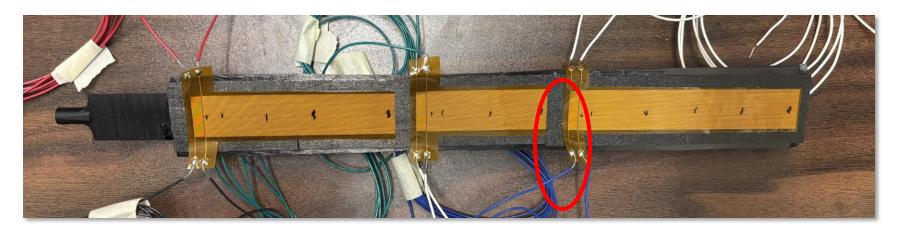
- When individually powered, LEC 2 & 3 distributions should be the same. Both have overlap & are past the initial entrance zone region of the air flow
- Thermal model shows slight T increase per heater due to the increase in air temperature along the channel (1-2°C)
  - However, LEC 3 measures ~10°C greater than LEC 2
- Why doesn't T vary with air speed?
  - Previous results show ~1°C decrease per m/s increase
- Investigate this test piece and create a new one







#### Heater adhesion



- Post inspection shows the delamination of the heater and larger than normal bonding material between layers was present.
- Without good adhesion, there is an air gap under the heater and the benefit of the CF conduction and the forced convection is lost.
- Solution: Tighter control over adhesion procedure. Bonding under entire heater, not just copper traces

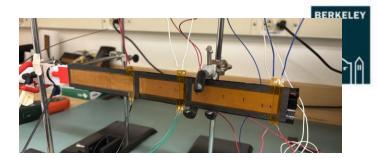


# Thermal camera: Max function

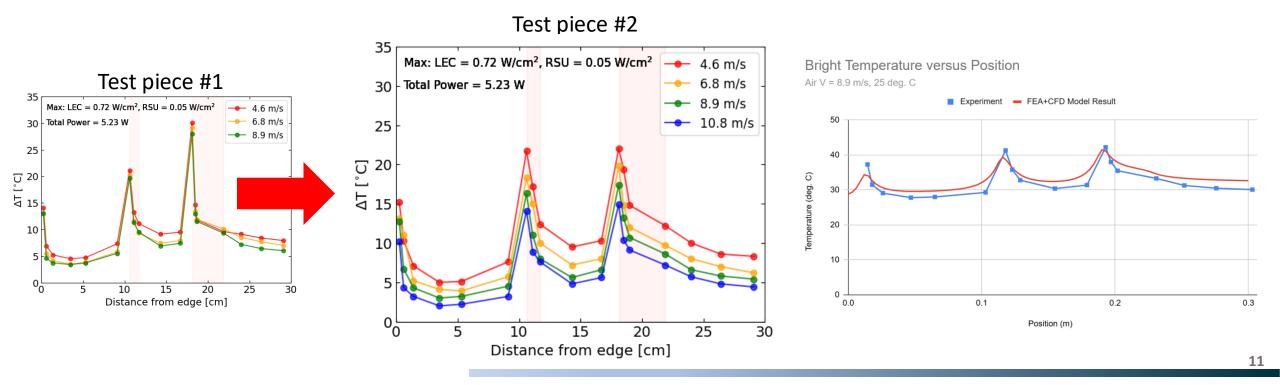
- Results shown used a different feature on the thermal camera: the Max function
- Will always find a hot spot and is not representative of the actual temperature
  - If hot spot is does not make contact with CF, it will never change with air velocity
- Solution: Go back to taking average temperature along width of LEC



# Single Corrugation Test Piece #2

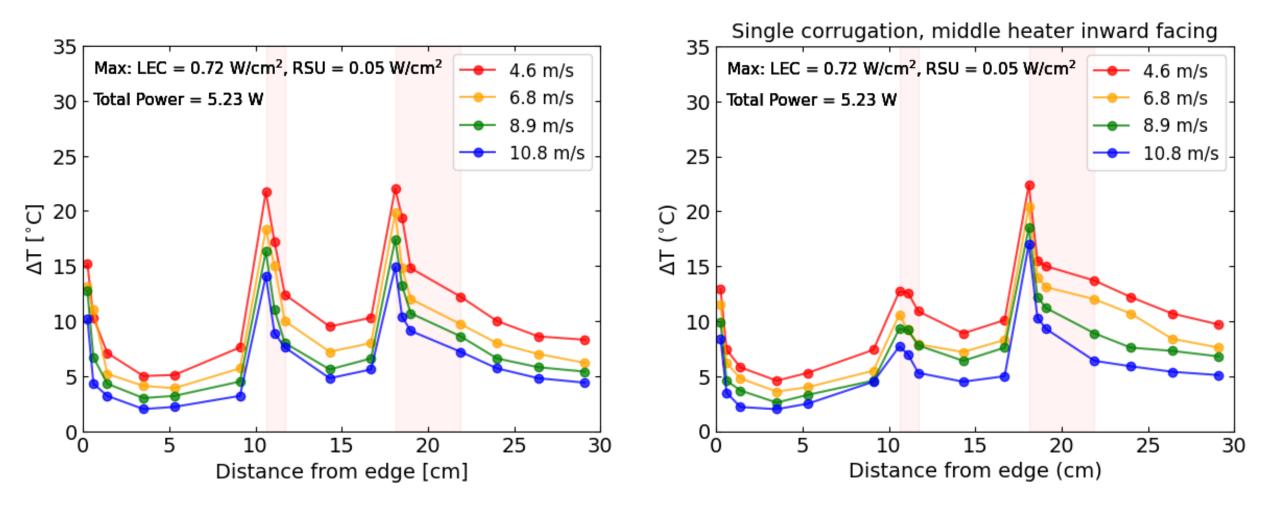


- Tighter control of bond thickness & adhesion under entire heater
- Measuring T directly (not Max function)
- Better agreement between LEC 2 & 3 and with model





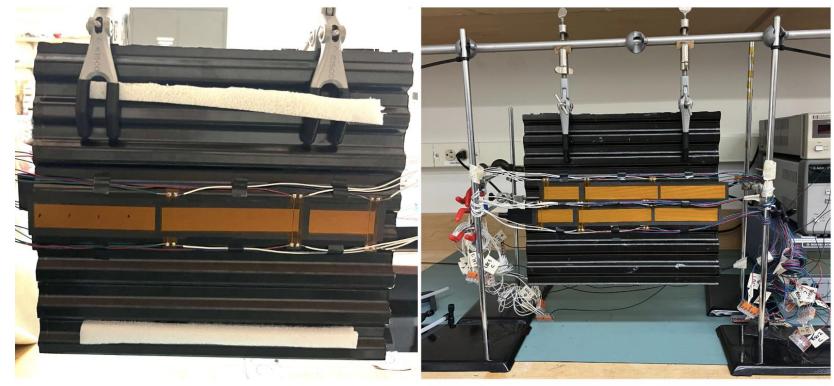
#### Comparison between #2 & #3





## Upcoming

Credit: Katie Gray



- In progress: Large thermal test piece with 3 channels filled
  - Test effects of proximity to neighbors

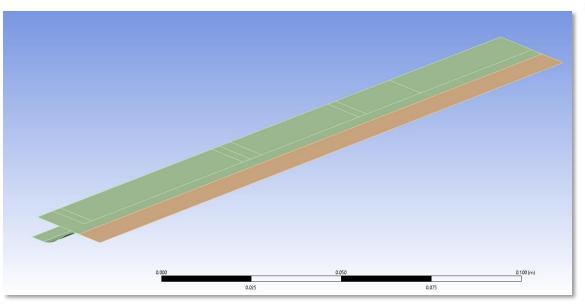


# Backups



# Modeling Approach

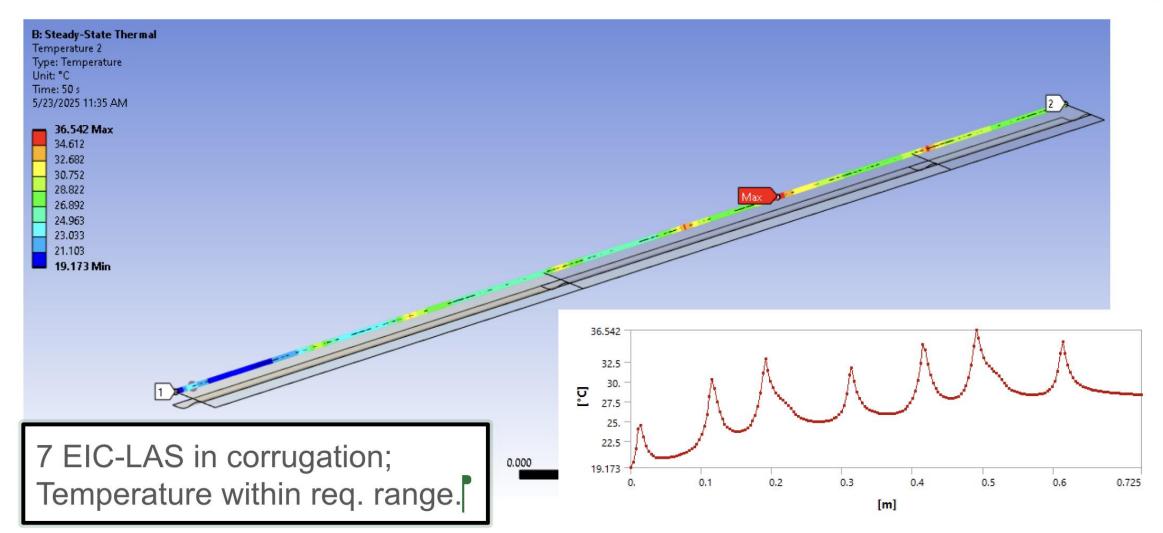
- Simplest model which captures thermal response.
- Shell model (2D) used instead of 3D components.
- Composite support and heaters homogenized into single part.



$$[0_h, 0_c, 90_c, 0_c];$$
  
h = heater, c = composite  
c \_\_\_\_\_\_ z \_\_\_\_ z \_\_\_\_ x

Credit: Nick Payne







### Forced Convection Model

• Using the Nusselt number to Gnielinski's correlation which is applicable to the transition flow region:

 $Nu_{D} = \frac{\left(\frac{f}{8}\right)(Re_{D} - 1000)Pr}{1 + 12.7\left(\frac{f}{8}\right)^{1/2}(Pr - 1)}$ 

 $Re_D > 3000 \text{ and } Pr > 0.5$  $h_f = Nu_D \frac{\kappa}{D_H}$ 

For cooling air flow at 8.9m/s and initial temperature of 25°C (heating of air taken into account),

$$Nu_D = 15.9; h_f = 47.52 \frac{W}{m \cdot K}$$



# Entrance Region

- Nusselt number is inherently higher at the entrance of the duct.
- Analysis will use assumption that at inlet  $Nu_D = 32$  and then scales to  $Nu_D = 15.9$  at exit.
- Also temperature of air is at 25°C at inlet and scales to ≈30°C at outlet due to heating.

