

New High-efficiency Slow Extraction Concepts

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The slow resonant extraction of a beam in a storage ring is a very well-established technique used by several high-energy physics accelerator facilities around the world. At the same time, the demand for beam power is constantly growing, extraction efficiency in many cases is becoming a limiting factor. A low beam loss (high extraction efficiency) operation is required to reduce the machine damage and radiation exposure during hands-on maintenance.

Existing facilities

Slow extraction facilities for HEP

| Lab | Facility | Particles/spill | Spill duration (sec) | Efficiency | Notes |
|---------------|--------------------------------|-----------------|----------------------|--------------|--------------------------|
| CERN | SPS | 4e13 | 4.0 | 97% | Highest energy 450GeV |
| J-PARC | Main Ring | 4.8e13 | 2.1 | 99.5% | Highest efficiency |
| FNAL | Main Injector Mu2e (design) | 1e13 1e12 | 4 0.043 | 96% 98.5% | - Shortest spill |
| IHEP | U70 | (2-10)e12 | 1.35 | 90-94% | |
| GSI | SIS18 | 1.4e6 | 1.55 | | Ions |
| BNL | AGS (stopped) | 7.6e13 | 2.4 | 98% | SX discontinued |



JPARC

- Large aperture (e.g. FNAL ring is desing for antiprotons which is smaller)
- $\approx 50\text{m}$ beta function vs. $\approx 15\text{m}$ at FNAL
- Bigger budget
- Ti septum
- 0.5% losses vs 1.5% FNAL

Milestone: beat the efficiency record

Shadowing

- Crystal channeling
[demonstrated at SPS — would this be effective at 8-30 GeV]
- Diffusers
[was not effective at SPS, should be more effective at J-PARC, FNAL]

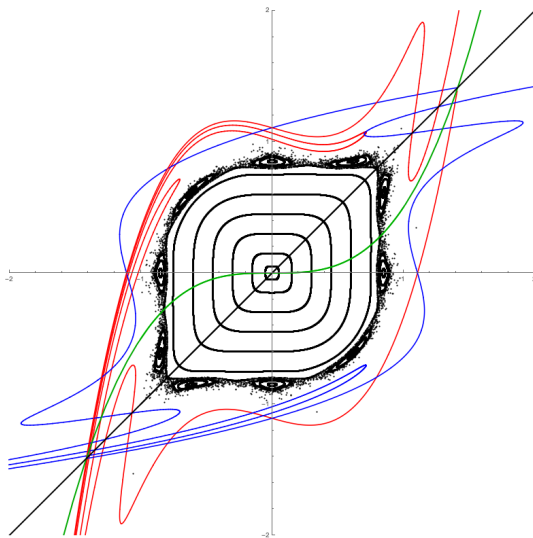
Using novel low-Z materials

- Using Carbon Nano-Tubes (CNT) wire as septum

Phase space manipulation

- Higher multipoles
[demonstrated at SPS]

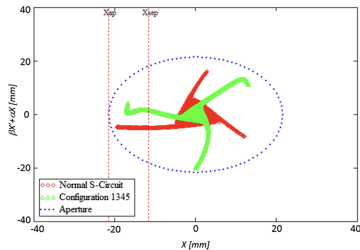
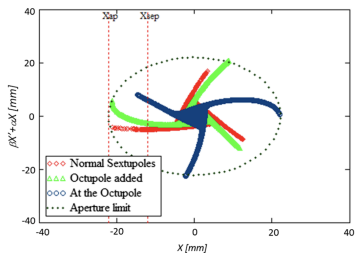
Phase space manipulation



Some questions

- Demonstrated at SPS, but do we fully understand why?
- Unstable flow bend vs wiggle?
- Can we use higher multipoles? Will the effect be mitigated by physical aperture?
- How the wiggle of separatrix changes our “naive” idea that losses are proportional to the ration of septum width to the one step on separatrix?
- Can we use higher order resonances (4-th, 5-th, etc.)?
- Can we use the concept of integrable optics?

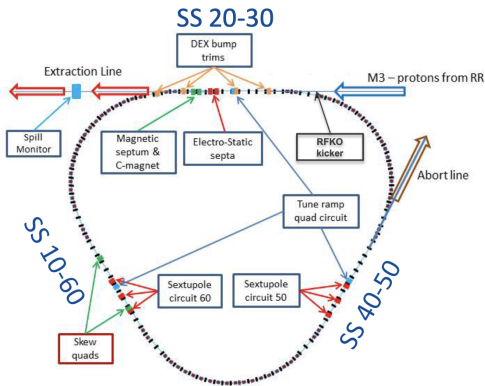
Unstable flow bend vs wiggle



[V. Nagaslaev PhysRevAccelBeams.22.043501]

Implementation of Resonant Extraction in the Delivery Ring for Mu2e

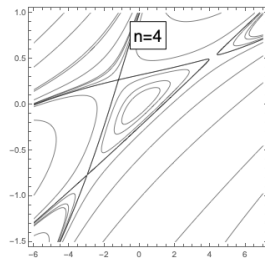
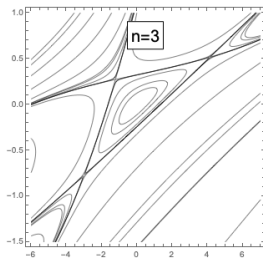
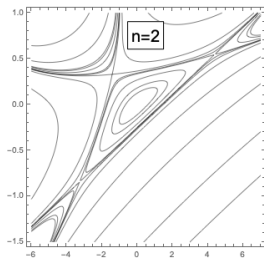
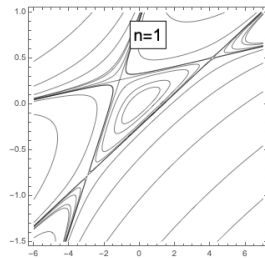
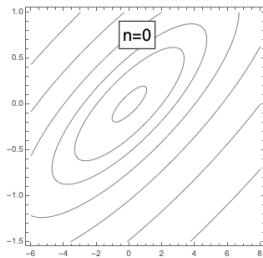
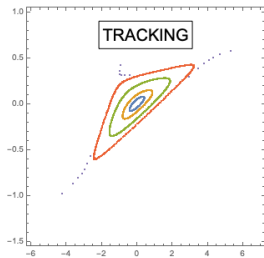
- New injection point
- Extraction in SS 20-30
- Electro-static septa
- 2 families of harmonic Sextupoles
- A family of tune Quadrupoles
- Extraction Lambertson
- Dynamic orbit control
- Abort line
- RFKO system
- Spill monitoring
- Spill regulation



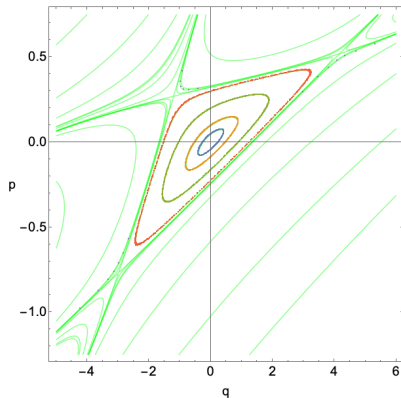
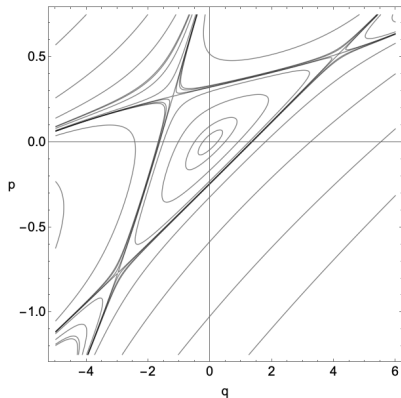
- Horizontal 3rd Integer resonance
- $Q_x / Q_y = 9.650 / 9.735$

Vladimir
Naglaslaev

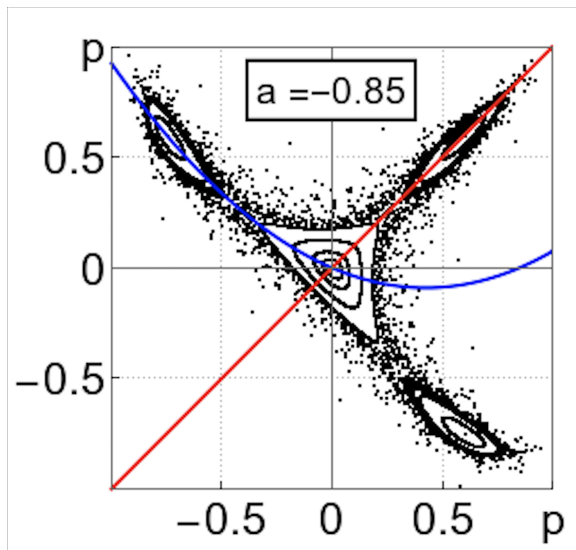
0-th — 4-th order approximated invariants, $\mathcal{K}^{(n)}(p, q)$



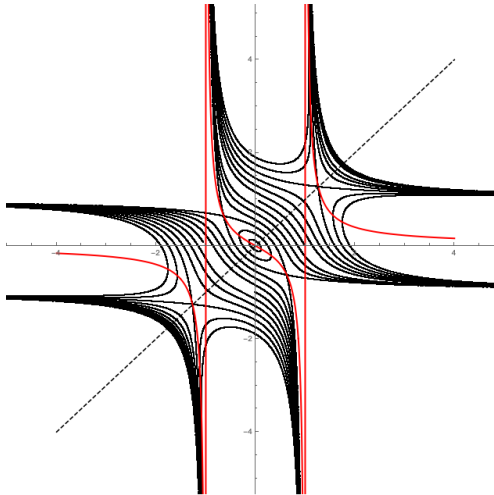
4-th order vs. tracking



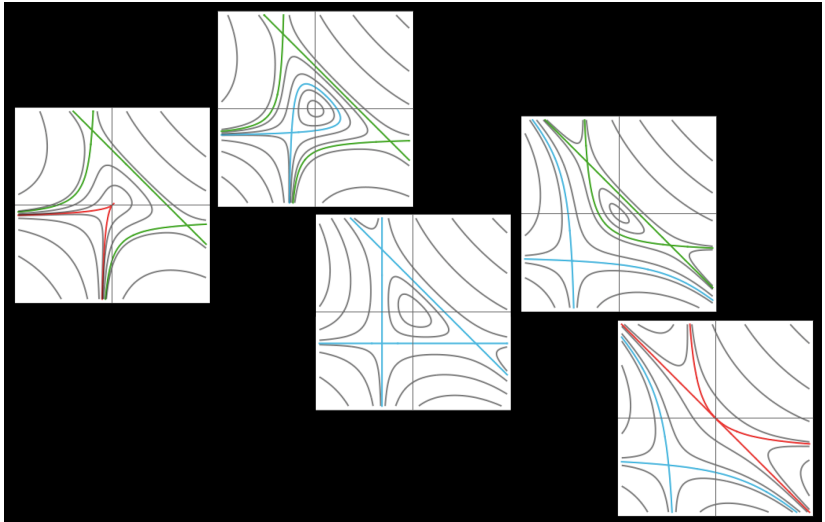
Can we use the concept of integrable optics?



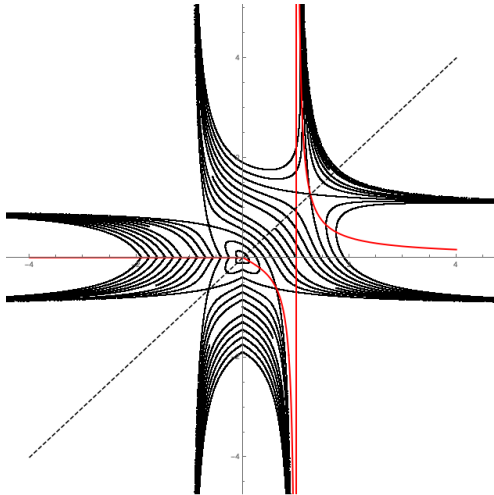
Example 1: Octupole McMillan map, $f(q) = -\frac{2\epsilon q}{q^2 + \Gamma}$
 $\mathcal{K}(q, p) = p^2 q^2 + \Gamma (p^2 + q^2) + 2\epsilon p q$



Example 2: Sextupole McMillan map, $f(q) = -\frac{q(q+2\epsilon)}{q+\Gamma}$
 $\mathcal{K}(q, p) = p^2 q + p q^2 + \Gamma (p^2 + q^2) + 2\epsilon p q$



Example 3: Piecewise McMillan map, $f(q > 0) = -\frac{2\epsilon q}{q^2 + \Gamma}$
 $\mathcal{K}(q, p) = p^2 q^2 + \Gamma (p^2 + q^2) \pm 2\epsilon p q$



Road map for slow extraction

- New low-Z materials, crystal channeling, diffusers
- Better understanding of chaotic unstable flow
- Better understanding of potential of integrable lattices
- Development of analytical tools for dynamics analysis

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