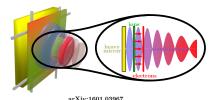
A controllable laser-driven ion accelerator

<u>F. Mackenroth</u>, A. Gonoskov, M. Marklund Chalmers University of Technology, Sweden

Berkeley, January 20th 2016



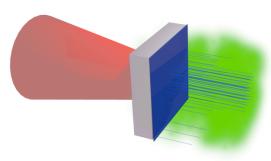
Juline

- Introduction
- 2 Basic concept of CSWA
- 3 Analytical model
- Simulation
- Summary & Outlook

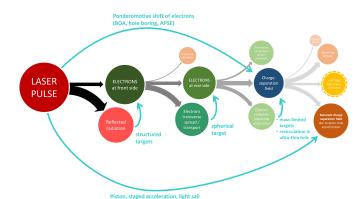
Laser acceleration of ions

Motivation

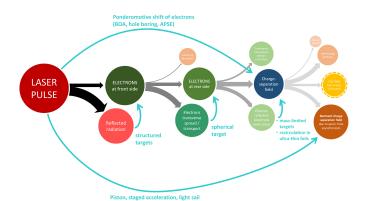
lons acceleration via charge separation due to thermal expansion (TNSA)



Motivation



Motivation



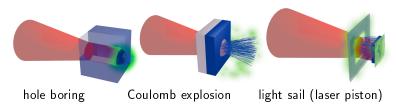
Problems of TNSA:

- energy transfer efficiency decreased by intermediate steps
- high laser intensities affect ions directly (TNSA mechanism altered)
- limited control



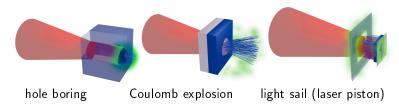
Non-thermal ion acceleration schemes

lons acceleration schemes beyond TNSA (selection)



Non-thermal ion acceleration schemes

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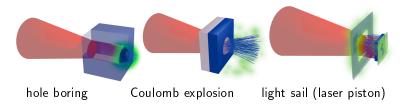


Problems of ion acceleration:

- HB: laser-solid interface unstable
- CE: complex targets, limited spectral control
- LS: formation of plasma instabilities

Non-thermal ion acceleration schemes

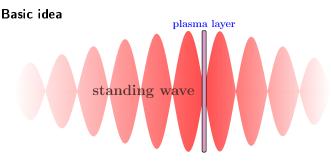
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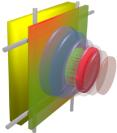
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Simulation



- stabilize accelerated layer from both sides:
 - electrons steered by standing wave
 - ions follow charge separation

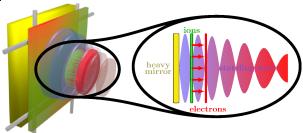
Basic setup



- stabilize accelerated layer from both sides:
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- construct by reflecting a laser pulse from a mirror rel. self-induced transparency (RSIT) of thin layer: single pulse
 - electrons trapped at break-through
 - ponderomotive force allows field rectification

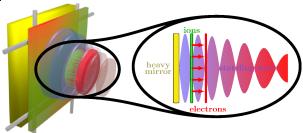


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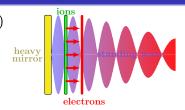
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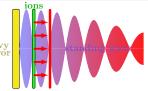
lons accelerated by **sheath field** (approx. 1D)

$$p_{\mathsf{ion}} = 2\pi e^2 \sigma \tau_{\mathsf{acc}}$$



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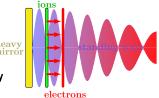


Standing wave through relativistic transparency

$$\begin{split} \frac{E\left(\frac{\tau_{\mathsf{acc}}}{2}\right)}{E_{\mathsf{rel}}} &=: a_0\left(\frac{\tau_{\mathsf{acc}}}{2}\right) = \pi \frac{\sigma}{\sigma_{\mathsf{cr}}} \\ E_{\mathsf{rel}} &= \frac{m_e c \omega_0}{e} \quad , \quad \sigma_{\mathsf{cr}} = n_{\mathsf{cr}} \lambda_0 = \frac{m_e c \omega_0}{2e^2} \end{split}$$

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Chirped pulse field for bandwidth $\Delta\omega_0=4\log 2/\tau_0$ (au_0 : pulse duration)

$$E(\eta) = \frac{E_0}{(1 + C^2)^{-1/4}} e^{-(\Delta\omega_0(C)\eta)^2 + i\Sigma(\eta)} \quad \text{pulse energy (spectrum) conserved}$$

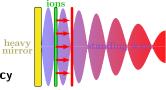
$$\Sigma\left(\eta\right) = \omega_{0}\eta + \mathcal{C}\left[\left(\Delta\omega_{0}\left(\mathcal{C}\right)\eta\right)^{2} + \frac{2\omega_{0}^{2}\log2}{\Delta\omega_{0}^{2}}\right] + \frac{\mathsf{atg}\mathcal{C}}{2}$$

$$\Delta\omega_{0}\left(\mathcal{C}
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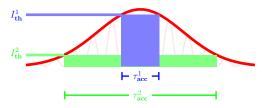
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Acceleration time determined by σ

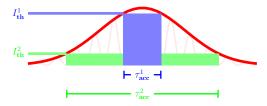


From relativistic transparency (neglect oscillating phase structure)

$$\begin{aligned} p_{\text{ion}} &= 2e^2 \frac{a_0}{\underbrace{\left(1 + \mathcal{C}^2\right)^{-1/4}}} \underbrace{e^{-\left(\Delta\omega_0(\mathcal{C})\frac{\tau_{\text{acc}}}{2}\right)^2} \tau_{\text{acc}}}_{\text{optimize for } \tau_{\text{acc}}} \end{aligned}$$

$$\tau_{\text{acc}}^{\text{opt}} &= \frac{\sqrt{2}}{\Delta\omega_0(\mathcal{C})} \approx 0.85 \ \tau_0(\mathcal{C})$$

Acceleration time determined by σ



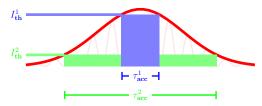
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Simulation

Chirped standing wave acceleration

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Simulation

Analytical model

Demonstrate CSWA's feasibility

- 1D PIC simulation (PICADOR)
- thin plasma layer high resolution (16000 cells, 100 ppc)
- available laser parameters

$$arepsilon_L = 20 \text{ J}$$
 $\lambda_0 = 800 \text{ nm}$
 $r_{\text{spot}} = 5 \, \mu \text{m}$
 $\Delta \omega_0 = 0.5 \omega_0$
 $C = -7$
 $\tau_0(C) \approx 7.5 \text{ fs}$
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- monochromatic ion spectrum
- ullet > 10^{10} particles (\sim nC)



Analytical model

Introduction

Demonstrate CSWA's flexibility

- explore CSWA's capabilities
- tune previous example only in chirp & bandwidth
- shorter pulse, higher a_0

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Simulation

Simulation results

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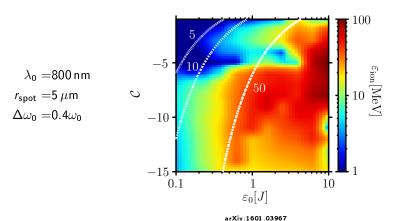
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- higher ion energies no spectral peak
- less stable regime



Parameter scan

Scan CSWA's wide range of applicability



- up to 100 MeV ion energies
- ullet compares well with analytical prediction $p_{\mathsf{ion}} \sim extstyle a_0 \left(1 + \mathcal{C}^2
 ight)^{-1/4}$
- ullet decrease of optimal chirp value ${\cal C}$



Summary & Outlook

Summary CSWA

"Chirped Standing Wave Acceleration"

- stable high-quality ion beams: monochromatic, collimated, high-charge
- favorable energy scaling
- refined chirp model for temporal control
- reference: arXiv:1601.03967

Chirped standing wave acceleration of ions with intense lasers

F. Macketroft," A. Goneskov, and M. Markland
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Tasks

- optimization of high-energy regime
- analyze locked standing wave acceleration stage transition to light-sail
- experimental campaign



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Backup

Chirp model

Modeling a laser pulse chirp

Base model on temporal delay of frequency components Original pulse duration τ_0 , frequency ω_0 , unchirped, plane wave $\boldsymbol{E}(\eta) = \boldsymbol{E}_0 \psi(\eta)$:

$$\psi(\eta) = e^{-4\log 2\left(\frac{\eta}{\tau_0}\right)^2 + i\omega_0\eta},$$

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Fourier transform

$$\sigma(\omega) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} d\eta \, e^{-4\log 2\left(\frac{\eta}{\tau_0}\right)^2 + i(\omega_0 - \omega)\eta} = \sqrt{\frac{\tau_0^2 c^2}{8\log 2}} e^{-\left(\frac{\tau_0(\omega_0 - \omega)}{4\sqrt{\log 2}}\right)^2}$$

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Chirp

$$egin{aligned} \sigma_{\mathcal{C}}(\omega) &= \sigma(\omega) \mathrm{e}^{-i\delta\Psi(\omega)} \ \delta\Psi(\omega) &= \mathcal{C}\left(rac{ au_0}{4\sqrt{\log 2}}
ight)^2 \omega \left(\omega - 2\omega_0
ight) \end{aligned}$$

Assumption: Linear phase shift



Chirped pulse model

Back-transformation

$$\psi(\eta) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} d\omega \ \sqrt{\frac{\tau_0^2 c^2}{8 \log 2}} \mathrm{e}^{-\left(\frac{\tau_0(\omega_0 - \omega)}{4\sqrt{\log 2}}\right)^2} \mathrm{e}^{-i\mathcal{C}\left(\frac{\tau_0}{4\sqrt{\log 2}}\right)^2 \omega(\omega - 2\omega_0) + i\omega\eta}$$

Resulting pulse model

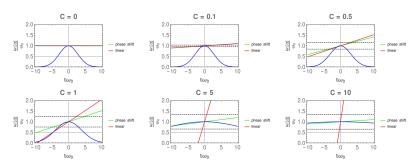
$$\psi_{\mathcal{C},l}(\eta) = \frac{1}{\sqrt{1+i\mathcal{C}}} e^{-\frac{4\log 2\left(\frac{\eta}{\tau_0}\right)^2}{\left(1+\mathcal{C}^2\right)}} e^{i\left(\omega_0\eta + \frac{4\log 2}{\tau_0^2\left(1+\mathcal{C}^2\right)}\mathcal{C}\eta^2 + \left(\frac{\tau_0\omega_0}{4\sqrt{\log 2}}\right)^2\mathcal{C}\right)}$$

Conclusions

$$\begin{array}{ll} \text{amplitude} & E(\eta=0) & \propto E_0 \left(1+\mathcal{C}^2\right)^{-\frac{1}{4}} \\ \text{duration} & \tau & \propto \tau_0 \sqrt{1+\mathcal{C}^2} \\ \text{frequency} & \omega(\eta) & = \omega_0 + \frac{8\log 2}{\tau_0^2(1+\mathcal{C}^2)}\mathcal{C}\eta \\ \text{spectral width} & \Delta\omega = \begin{cases} \frac{8\log 2}{\tau_0}\mathcal{C} \text{ for } \mathcal{C} \ll 1 \\ \frac{8\log 2}{\tau_0} \text{ for } \mathcal{C} \gg 1 \end{cases} \\ \text{bandwidth limit} \end{array}$$

Chirped pulse model

Comparison of **phase shift** to **linear** chirp model $\lambda_0 = 800$ nm, $\tau_0 = 10$ fs (4 cycles)



- symmetric for negative chirp
- $\omega(\eta) = 0$ unphysical
- ullet critical chirp for linear approximation ${\cal C}=1$



Chirped standing wave acceleration

Optimal areal thickness (for ion energy gain)

$$\sigma^{
m opt} = rac{a_0 {
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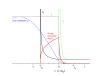
Match (non-relativistic) ion velocity to propagation speed of field nodes

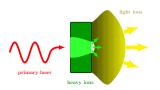
$$v_{\mathsf{node}} = 2\pi c \frac{\Delta \omega_0^2(\mathcal{C})}{\omega^2(t)} \mathcal{C}$$

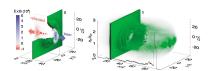
Optimal chirp parameter

$$\mathcal{C}^{
m opt} pprox \left(rac{m_p}{m_e} rac{\pi}{16a_0 \log 2} rac{\Delta \omega_0}{\omega_0}
ight)^{2/3} \sim a_0^{-2/3}$$

HI Acceleration mechanisms - 1D models







hole boring:

- electrons pushed into target
- charge separation field
- thick, overdense target

Coulomb explosion:

- two-species target
- all electrons expelled
- Coulomb field acceleration

light sail:

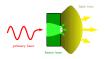
- light pressure acceleration
- susceptible to plasma instabilities



hole boring:

- no transverse electron motion
- coupling accelerated ions into vacuum
- number estimate of accelerated particles





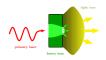
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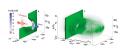
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- instantaneously no electrons in target
- undeformed electron-free region
- no ponderomotive force on electrons







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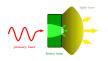
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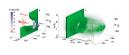
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light sail:

- non-flat sail surface
- 2D/3D-effects blow out particles
- total reflection assumed from start







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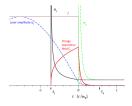
light sail:

- non-flat sail surface
- 2D/3D-effects blow out particles
- total reflection assumed from start
- ⇒ Complete, quantify and overcome listed obstacles



Hole Boring acceleration (Thanks to Chris)

A kind of radiation pressure acceleration in an overdense, thick target



from Schlegel et al., Phys. Plasmas 16, 083103 (2009).

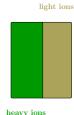
Working principle:

- Laser pulse piles up thin electron spike
- Charge separation field pulls up an ion spike
- Electron & ion spikes form propagating electrostatic shock

The maximum kinetic ion energy (lab frame)

$$\varepsilon_{HB} = m_p c^2 \frac{2\Xi}{1 + 2\sqrt{\Xi}} \; ; \; \Xi = \frac{I_L}{m_p n_0 c^3}$$

Coulomb Explosion acceleration



neavy ions

Working principle:

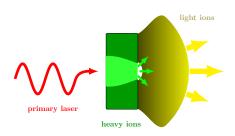
- Two-layered target: heavy and light ions
- Laser expels electrons, heavy ions stay at rest
- Coulomb repulsion accelerates light ions

Accelerating field & ion energy

$$E_{CE} = 2\pi n_0 Ze\ell$$

 $\varepsilon_{CE} = eE_{CE} \frac{w_0}{2}$

Coulomb Explosion acceleration



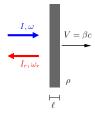
Working principle:

- Two-layered target: heavy and light ions
- Laser expels electrons, heavy ions stay at rest
- Coulomb repulsion accelerates light ions

Accelerating field & ion energy

$$E_{CE} = 2\pi n_0 Ze\ell$$
$$\varepsilon_{CE} = eE_{CE} \frac{w_0}{2}$$

Light Sail acceleration (Thanks to Jens)

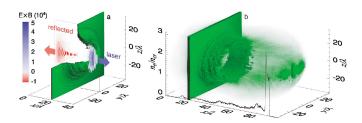


from A. Macchi, arXiv 1403.6273 (2014).

Working principle:

- Thin foil, perpendicular incidence
- $P_{rad} \stackrel{!}{>} P_{therm}!$

Light Sail acceleration (Thanks to Jens)



from Esirkepov et al., Phys. Rev. Lett. 92, 175003 (2004).

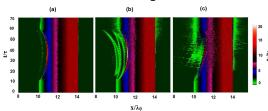
Working principle:

- Thin foil, perpendicular incidence
- $P_{rad} \stackrel{!}{>} P_{therm}!$
- Decreased target density: Higher energies, less accelerated ions
 Coupled kinetic equations

$$\frac{d(\gamma V)}{dt} = \frac{2}{\sigma c} I_L \left(t - \frac{x}{c} \right) \frac{1 - \frac{v}{c}}{1 + \frac{v}{c}} \; ; \; \frac{dx}{dt} = v$$

Chirped break-out afterburner

- influence of pulse chirps rarely studied
- recently, e.g., studied in TNSA
 - ⇒ two-fold increased electron heating rate



from E. Yazdani et al., J. Appl. Phys. 116, 103302 (2014).

- electron density spike
 - ⇒ employ for HI acceleration schemes